

Procesamiento de Imágenes y Bioseñales I

Prof. Dr. Steffen Härtel / Dr. Jorge Jara: www.scian.cl / www.cimt.cl / www.cens.cl

Dir Laboratory of Scientific Image Analysis (SCIAN-Lab)
Dir Centro de Informática Medica y Telemedicina (CIMT)
Centro Nacional en Sistemas de Información en Salud (CENS)
Biomedical Neuroscience Institute (BNI)
Innovation @ Institute of Biomedical Sciences (ICBM)
Cento de Modelamiento Matematico (CMM)
Faculty of Medicine, University of Chile
Red de Salud Digital de las Universidades del Estado (RSDUE)

Temas para Seminarios Curso I-II



Patología digital/microscopía virtual, Tissue Scanner (Francisca Valdés)

Diego Ormeño y Michelle Pacheco

Microscopía y Microbiología de Expansión, Publicación de Métodos (Dante Castagnini, Steffen Hartel)

Proteus mirabilis biofilm expansion microscopy for preparation as Methods Paper: Journal of Visualized Experiments. www.jove.com

Aníbal Molina y Felipe Carrasco

Radiología & IA, CIMT/HCUCH (Constanza Vásquez), Cristóbal Pineda y Javiera León / Magdalena Sanhueza y Tatiana Boza

ALPACA I: SCIAN-Drop & SCIAN-Force, estimación de fuerzas y modelos de contornos celulares/droplets (Jorge Jara, Karina Palma, Steffen Hartel)

Muriel Ponce y Rolando Vernal

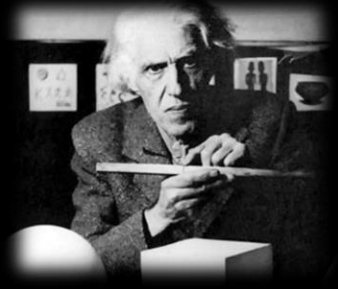
ALPACA II: segmentación y modelos de contorno (Jorge Jara, Mauricio Cerda)

Iván Roa y Pablo Cabello

Colocalización de marcadores de DAMPS en células del sistema inmune (Fermín González, Karina Palma, Steffen Hartel)

Alfredo Torres, Fabián Tempio & estudiantes

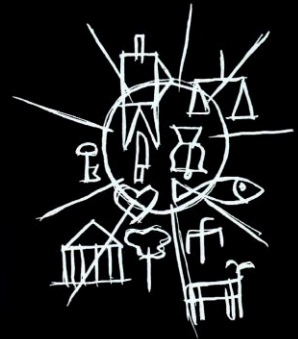
Tatiana Boza	MIM	The Good, the Bad and the Ugly		29. Aug
Pablo Cabello	MIM	Proteus mirabilis biofilm expansion microscopy yields over 4-fold magnification for super-resolution of biofilm structure and subcellular DNA organization		23. Sep
Felipe Carrasco	MIM	4.1.6. Steady-state and Time Resolved Fluorescence	1.7 Steady-state and Time	10. Sep
Javiera León	MIM	Coelho <i>et al.</i> (2009) Descriptores de Similitud/Calidad en Segmentación		08. Okt
Anibal Molina	MIM	4.1.2. Jablonski Diagram	1.2 Jablonski Diagram	05. Sep
Diego Ormeño	PhD(c), M. Cáceres	4.1.4. Fluorescence Anisotropy	1.5 Fluorescence Anisotropy	23. Sep
Michelle Pacheco	MIM	4.1.1. Phenomena of Fluorescence	1.1 Phenomena of Fluorescence	05. Sep
Cristóbal Pineda	MIM	Cap. 3: Histogramas		07. Okt
Muriel Ponce	MIM	4.1.4. Fluorescence Lifetimes	1.4 Fluorescence Lifetimes and Quantum Yields	23. Sep
Iván Roa	MIM	Cap. 7: Chain codes		08. Okt
Magdalena Sanhueza	MIM	4.1.3. Fluorescence Emission	1.3 Characteristics of Fluorescence Emission	05. Sep
Rolando Vernal	Odonto	Cap. 2/4: Convolución, Filtros basados en convolución		07. Okt
Alfredo Torres	Fermín G.	Seeing is believing? A beginners' guide to practical pitfalls in image acquisition. Alison J. North. 2006 The Journal of Cell Biology, 172(1):9-18		29. Aug
Fabián Tempio				
Estudiantes				



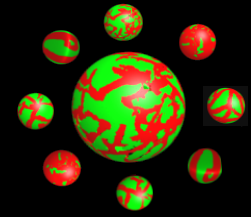
Joaquín Torres García 1874-1949



Richard Feynman (1918-1988)

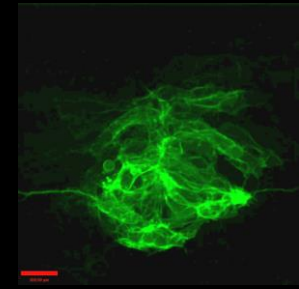
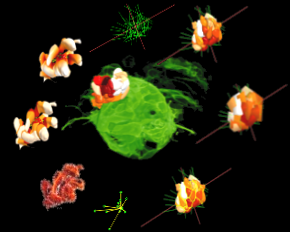


Mats Gustafson 2006 - 2011



René Descartes (1596-1650)

María Goeppert-Mayer 1906-1972



Ernst Abbe 1840- 2005



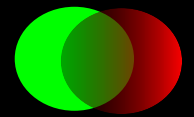
E Betzig



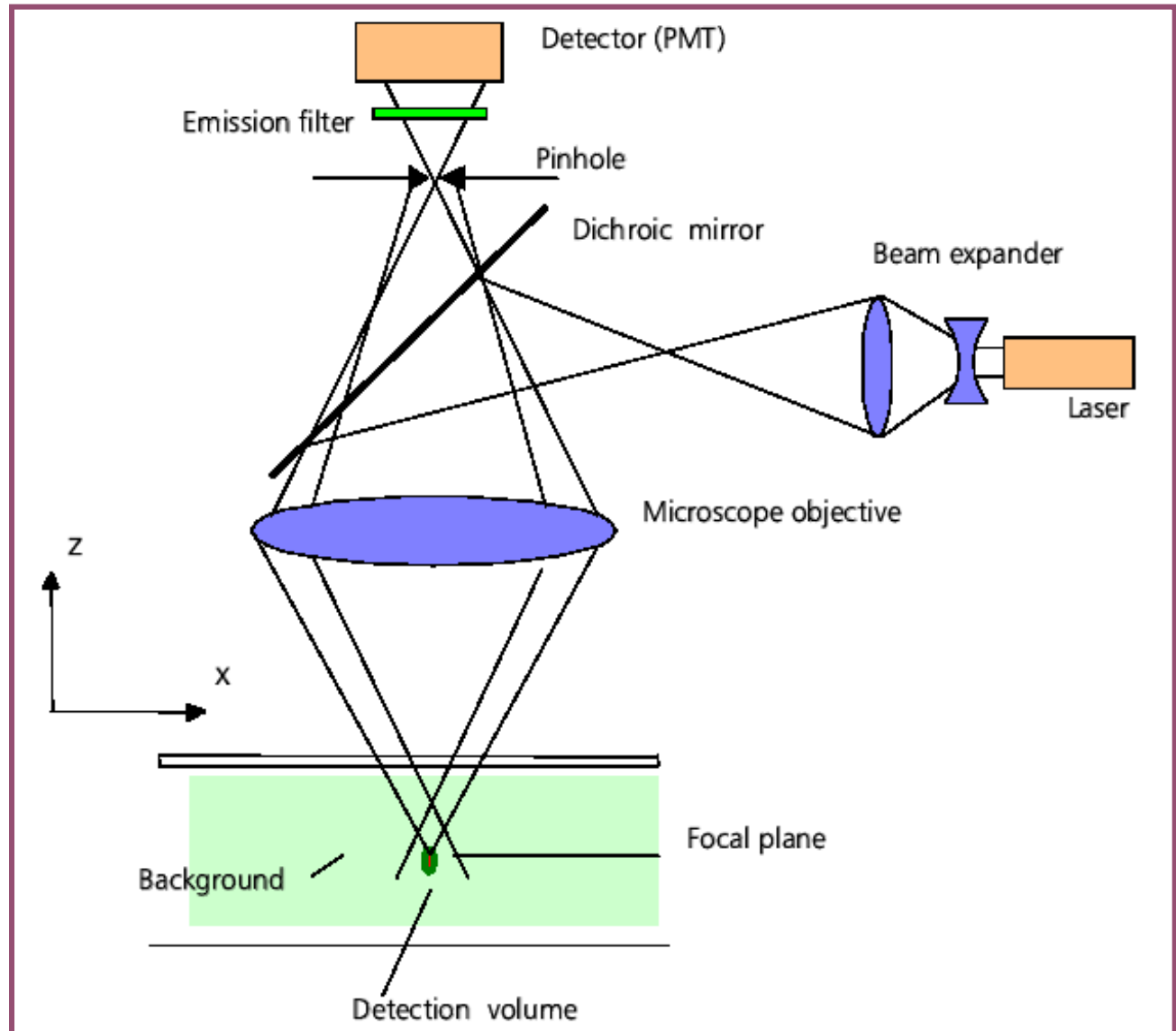
S Hell



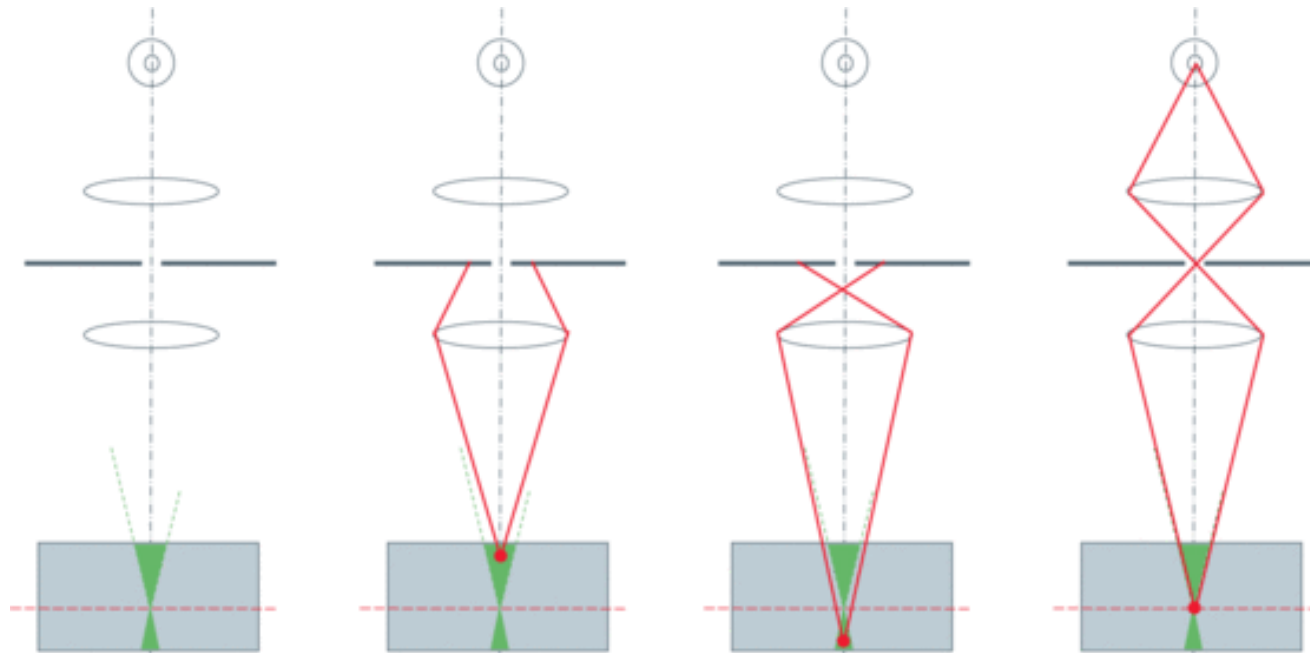
W Moerner



| -> Diffraction limited Microscopy



| -> Diffraction limited Microscopy



Rebanada óptica en μm , modificable según Airy units del pinhole

| -> Diffraction limited Microscopy

From Geometric Optics to Diffraction Theory:

Diffraction: The deviation of an electromagnetic wavefront from the path predicted by geometric optics when the wavefront interacts with a physical object such as an opening or an edge.

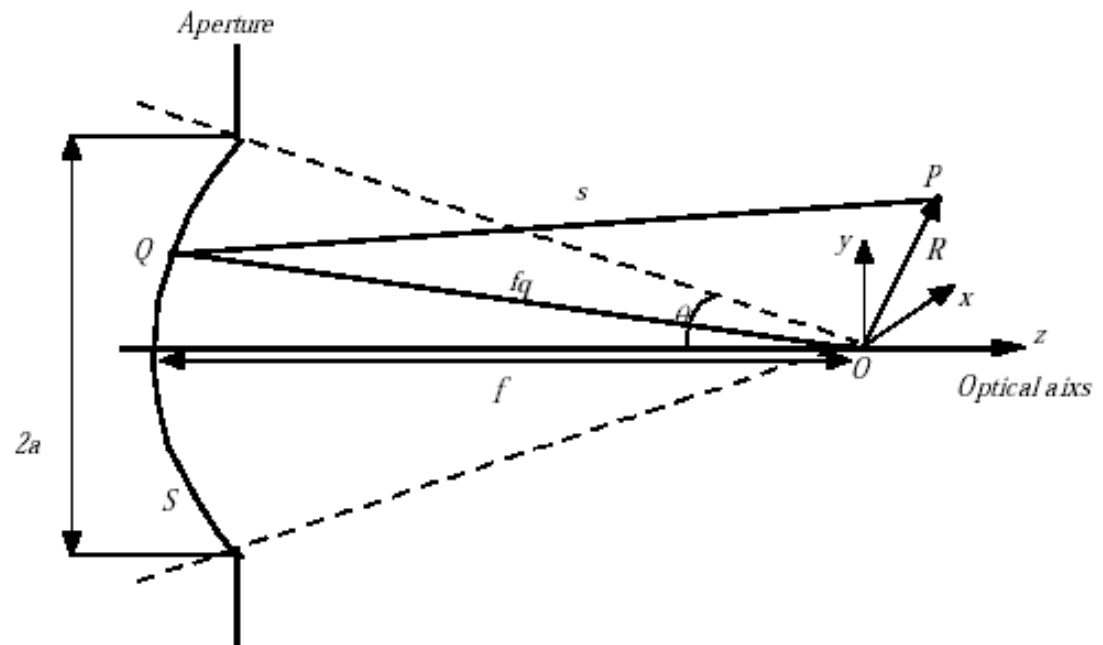


Figure 2.1 Diffraction of a converging spherical wave at a circular aperture

| -> Diffraction limited Microscopy

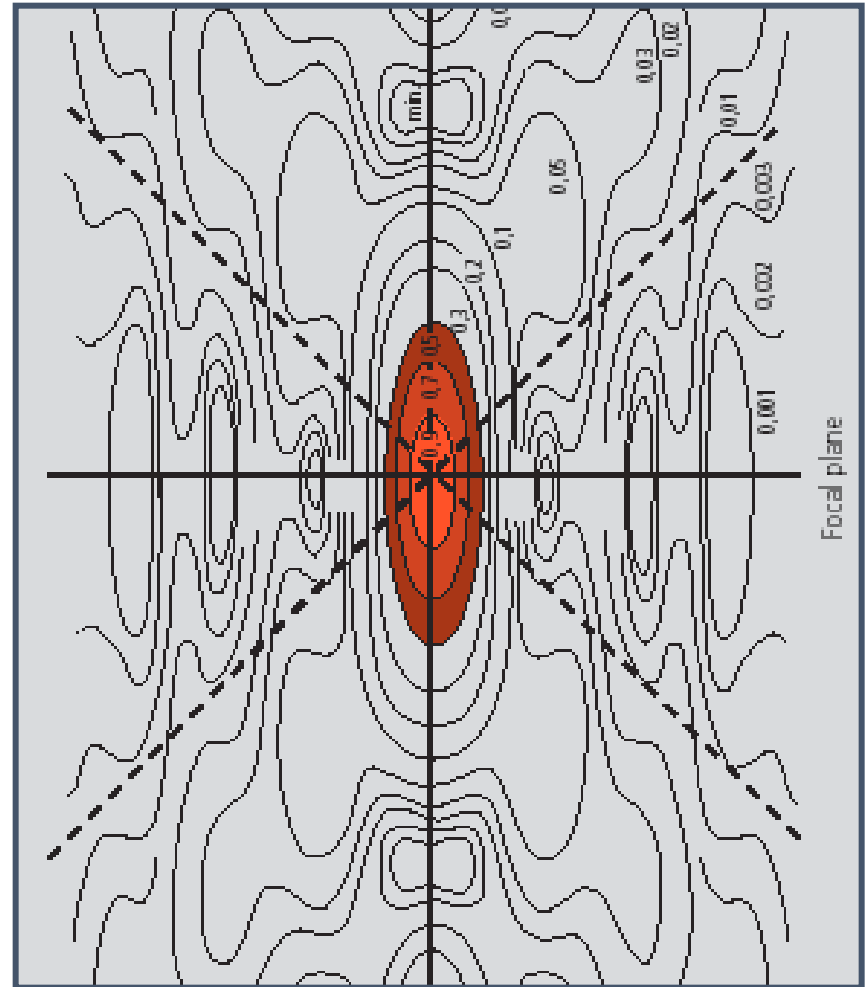
Óptica no-geométrica /
Teoría de difracción

$$\text{PSF} = |U|^2 = f(J_0)$$

U , Integral de Difracción de Kirhoff

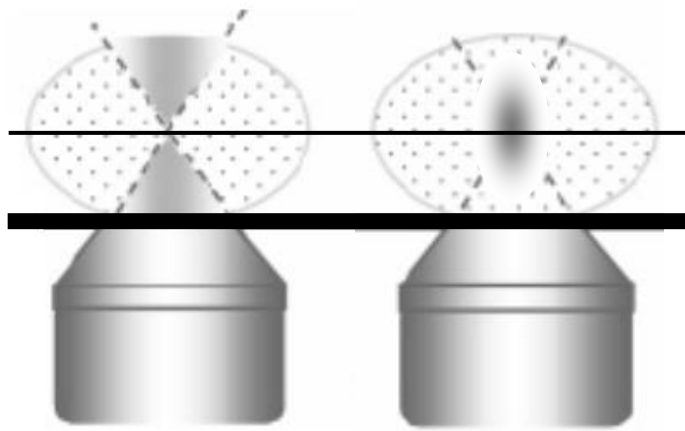
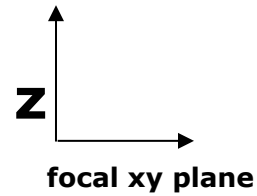
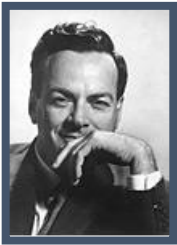
J_0 , Serie de funciones de Bessel

*(Born & Wolf, Principles of Optics, 6th edition 1988,
Pergamon Press)*

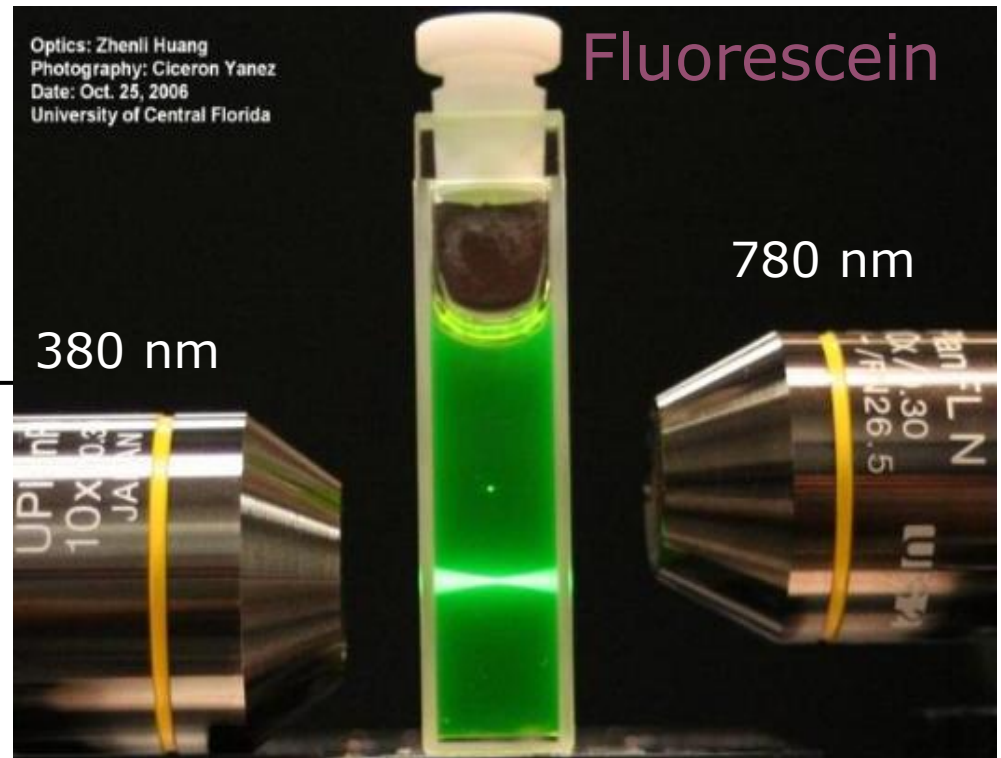


| -> Diffraction limited Microscopy

| Best localization: confocal microscopy



convencional / confocal



| -> Diffraction limited Microscopy

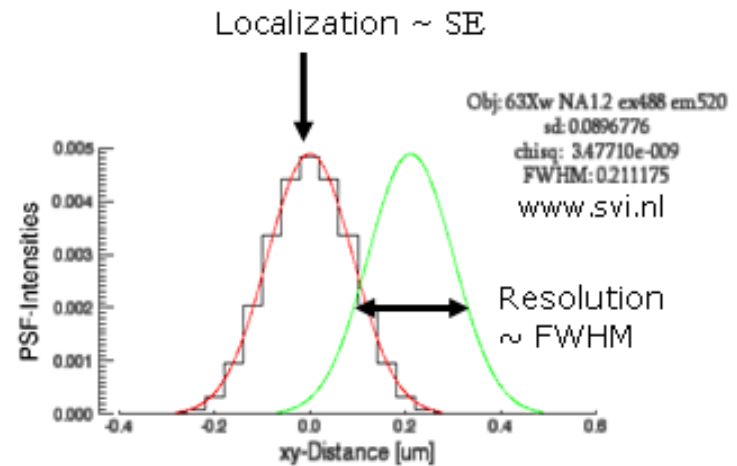
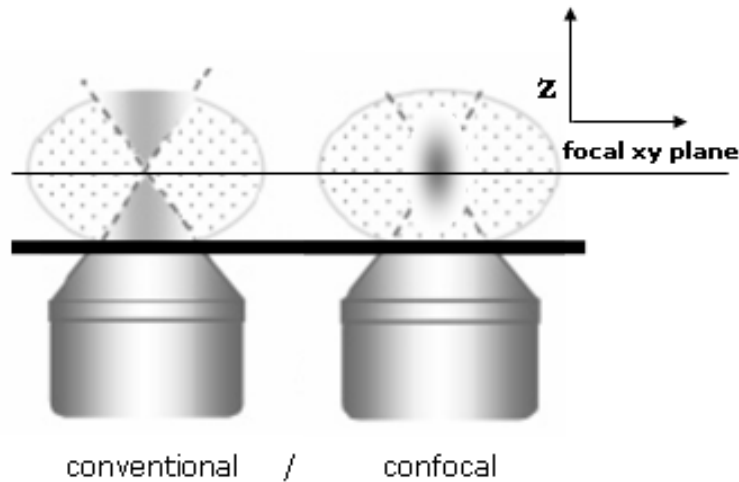
| Diffraction limited microscopy

E. Abbe († 1905)

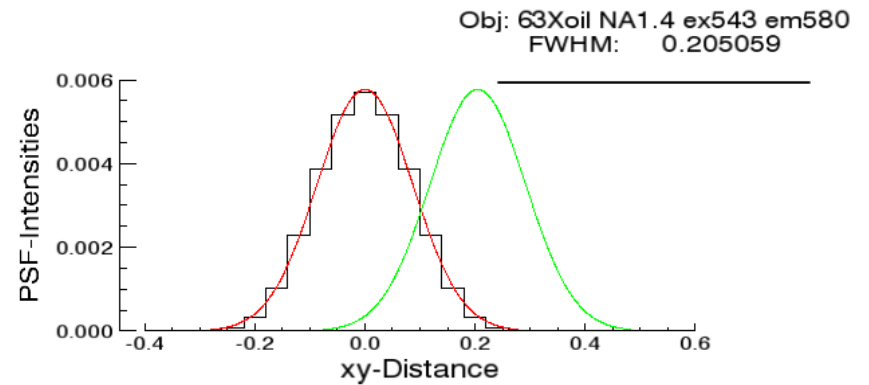
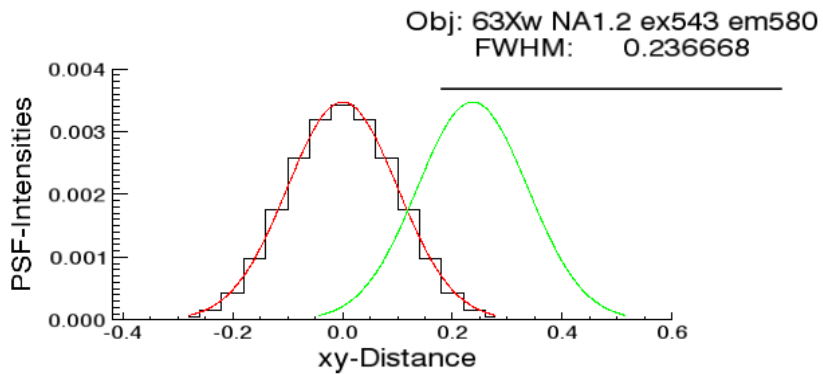
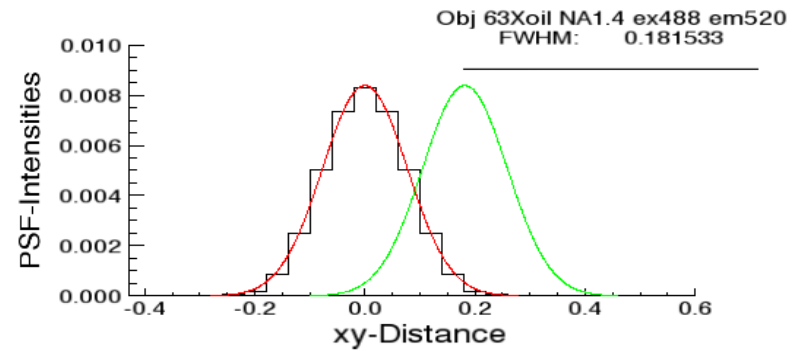
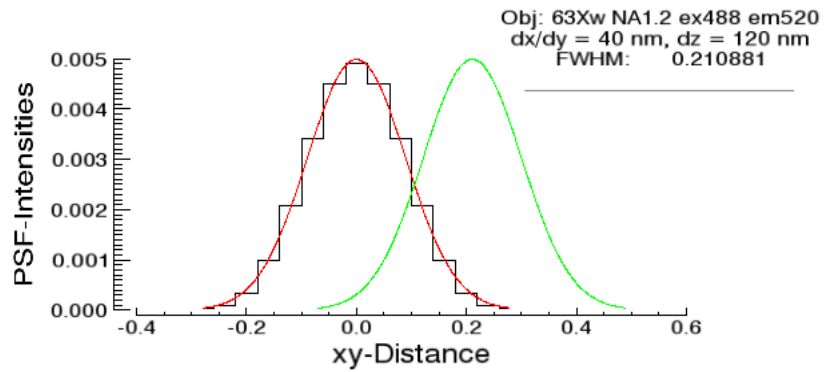


$\lambda / 2 \cdot NA \sim \lambda / 2$ Resolution (Full Width at Half Maximum, FWHM)

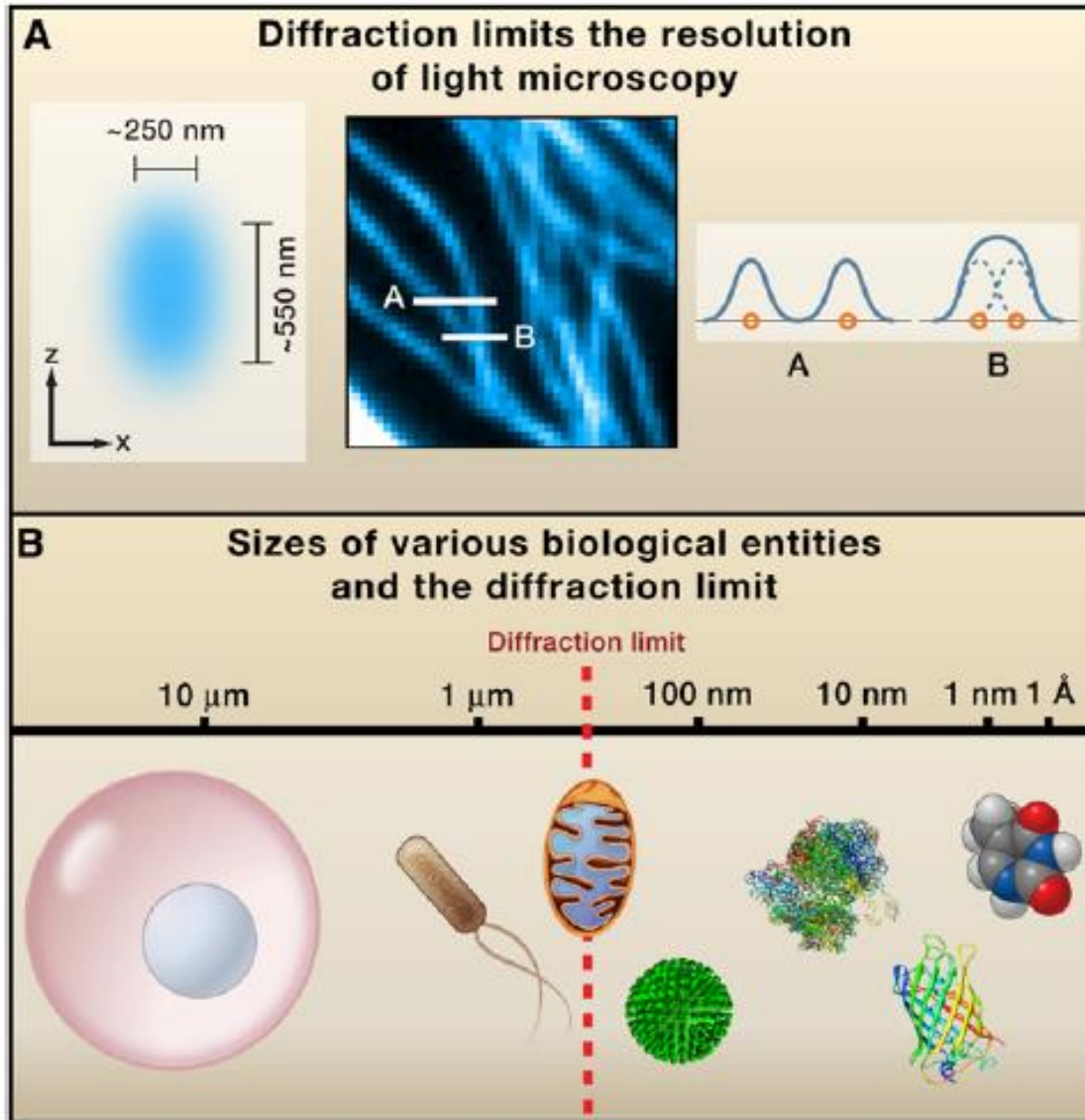
$FWHM / N^{1/2}$ Localization, N number of photons

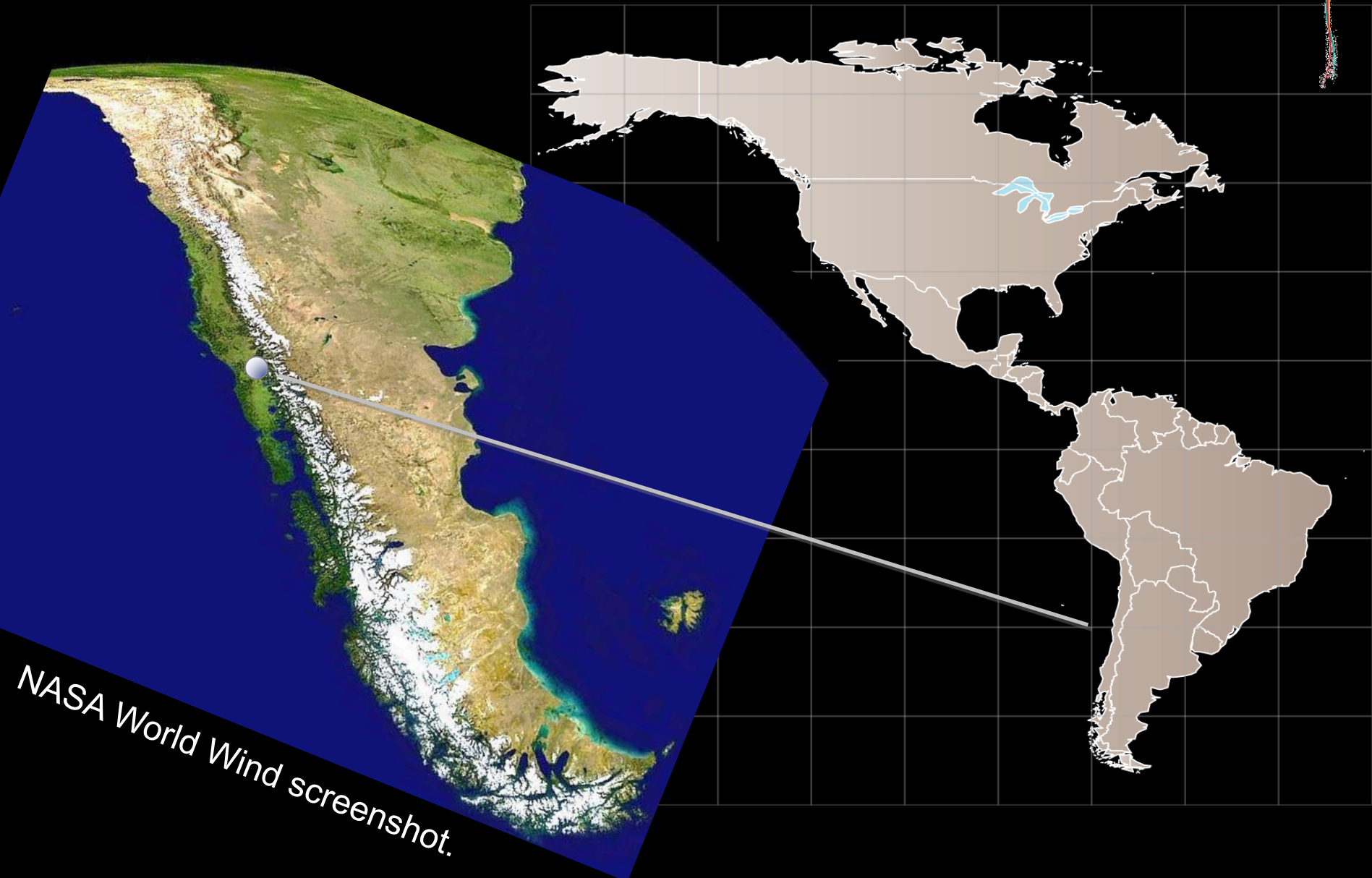


| -> Diffraction limited Microscopy

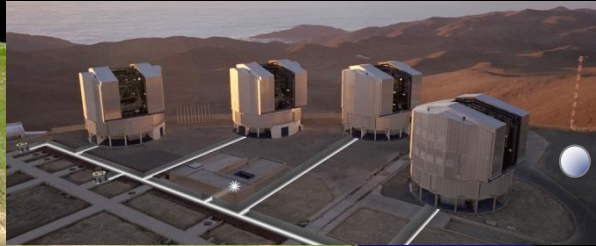


| -> Diffraction limited Microscopy





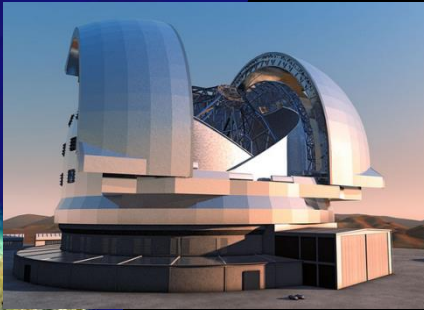
NASA World Wind screenshot.



Very Large Telescope (VLT),
4 Telescopes, 8m, 2600 m

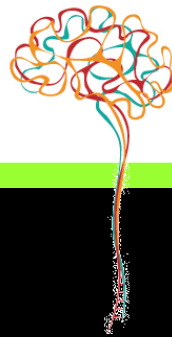


Atacama Large Millimeter/submillimeter
Array (ALMA), 66 Antenna, 5000 m



E-ELT European
Extremely Large
Telescope, 39 m, 3000 m

NASA World Wind screenshot



Extraterrestrial Monster Science produces:
TeraB, PetaB, ExaB, ZettaB, YottaB



... Tera is a unit prefix in the metric system denoting multiplication by $10E12$ or 1.000.000.000.000 !

... Tera is derived from Greek τέρας (teras), meaning "monster".

... Tera was confirmed for use in the SI in 1960.... Wiki !

Metric prefixes						
Prefix	Symbol	1000^m	10^n	Decimal	English word ^[n 1]	Since ^[n 2]
yotta	Y	1000^8	10^{24}	1 000 000 000 000 000 000 000 000	septillion	1991
zetta	Z	1000^7	10^{21}	1 000 000 000 000 000 000 000	sextillion	1991
exa	E	1000^6	10^{18}	1 000 000 000 000 000 000	quintillion	1975
peta	P	1000^5	10^{15}	1 000 000 000 000 000	quadrillion	1975
tera	T	1000^4	10^{12}	1 000 000 000 000	trillion	1960
giga	G	1000^3	10^9	1 000 000 000	billion	1960
mega	M	1000^2	10^6	1 000 000	million	1960
kilo	k	1000^1	10^3	1 000	thousand	1795
hecto	h	$1000^{2/3}$	10^2	100	hundred	1795
deca	da	$1000^{1/3}$	10^1	10	ten	1795
		1000^0	10^0	1	one	–
deci	d	$1000^{-1/3}$	10^{-1}	0.1	tenth	1795
centi	c	$1000^{-2/3}$	10^{-2}	0.01	hundredth	1795
milli	m	1000^{-1}	10^{-3}	0.001	thousandth	1795
micro	μ	1000^{-2}	10^{-6}	0.000 001	millionth	1960
nano	n	1000^{-3}	10^{-9}	0.000 000 001	billionth	1960
pico	p	1000^{-4}	10^{-12}	0.000 000 000 001	trillionth	1960
femto	f	1000^{-5}	10^{-15}	0.000 000 000 000 001	quadrillionth	1964
atto	a	1000^{-6}	10^{-18}	0.000 000 000 000 000 001	quintillionth	1964
zepto	z	1000^{-7}	10^{-21}	0.000 000 000 000 000 000 001	sextillionth	1991
yocto	y	1000^{-8}	10^{-24}	0.000 000 000 000 000 000 000 001	septillionth	1991



“It is very easy to answer many of these fundamental biological questions. You just look at the thing !

Make microscopes a hundred times more powerful and many problems of biology would be made very much easier.”

Richard Feynman (1918-1988)

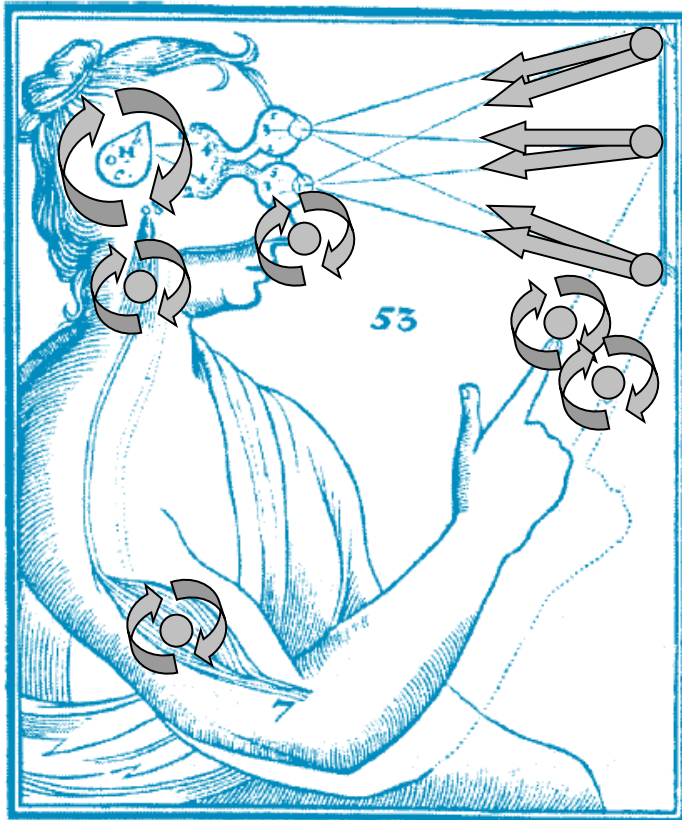


René Descartes (1596-1650)

**... just look at the thing ...
¿ Human visual perception ?**

Treatise of man (~ 1637)

Passions of the soul (~ 1649)



A combination of ...

1| direct signals ...

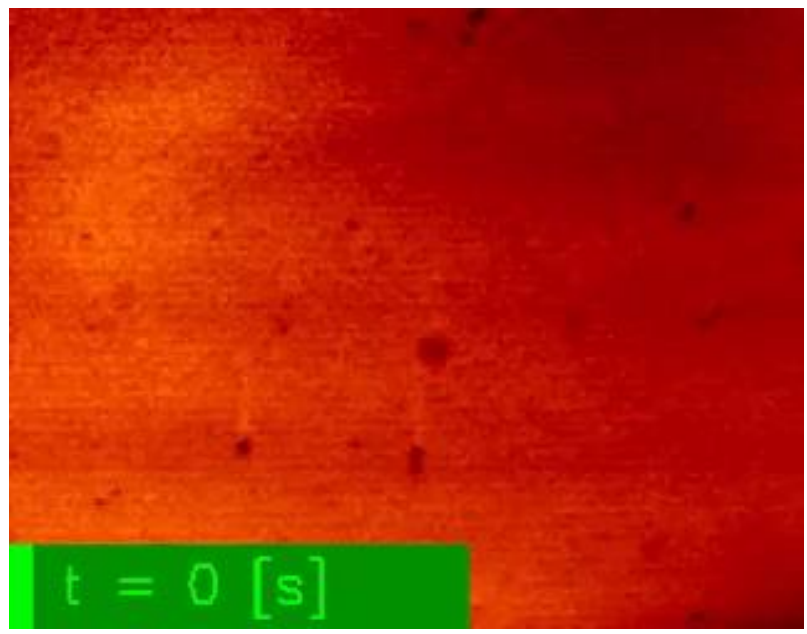
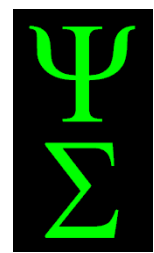
2| signals from other senses ...

3| feedback loops ...

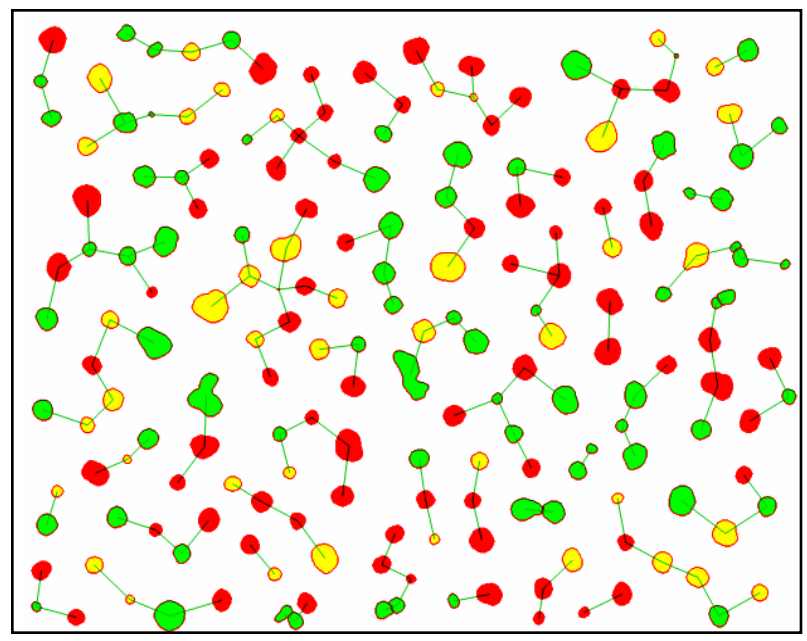
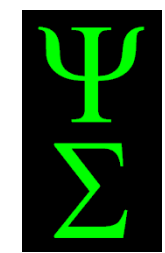
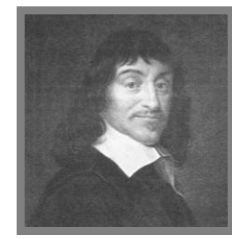
**... produce a symbolic
representation of an object.**

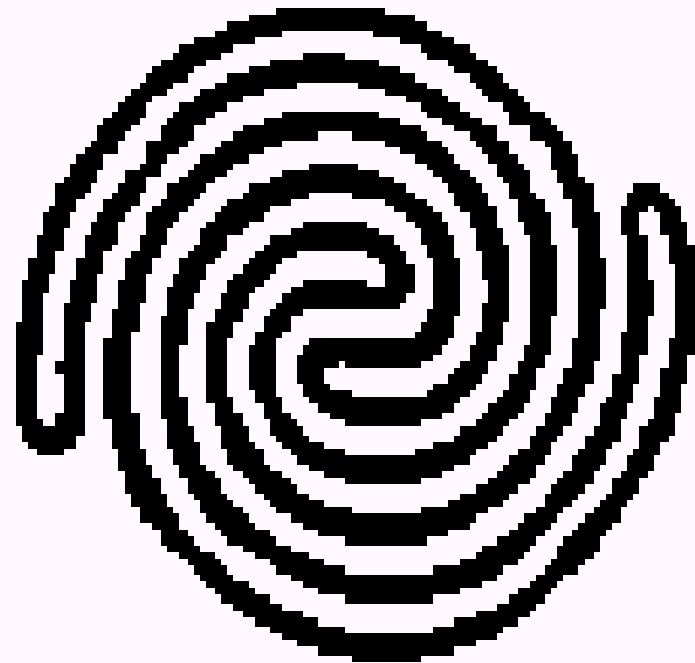
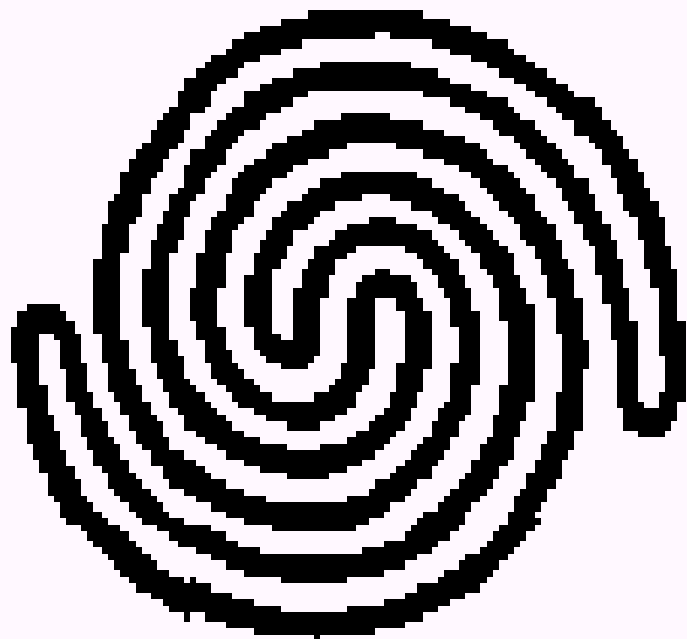
glandula pinealis / pineal organ

| Best resolution in t & x ...



|| Humas vs machine vision

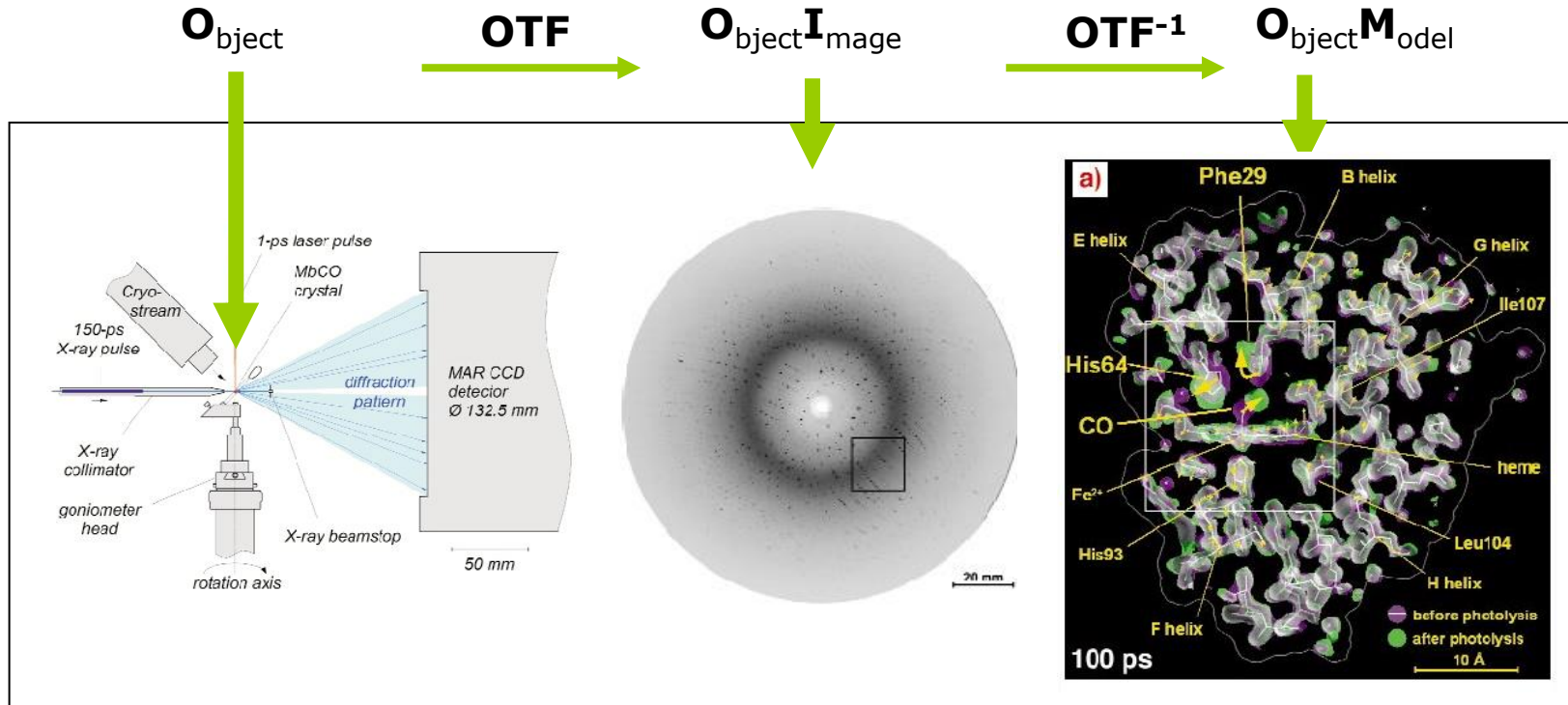




OTF: Object/Optical Transfer Function

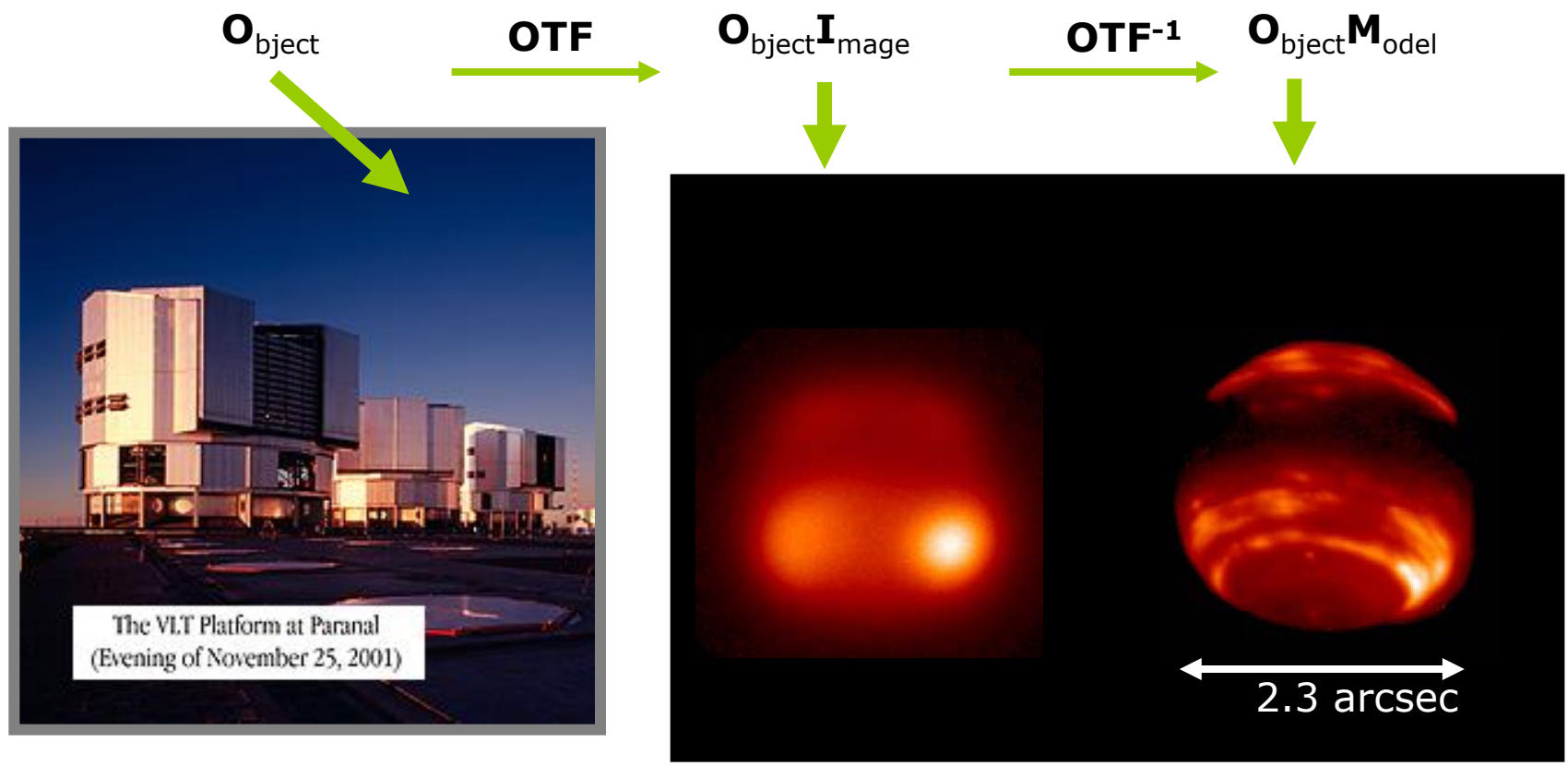
Myoglobin in Action | Picosecond Laue Crystallography Diffraction Data

Schotte et al (2003) Science

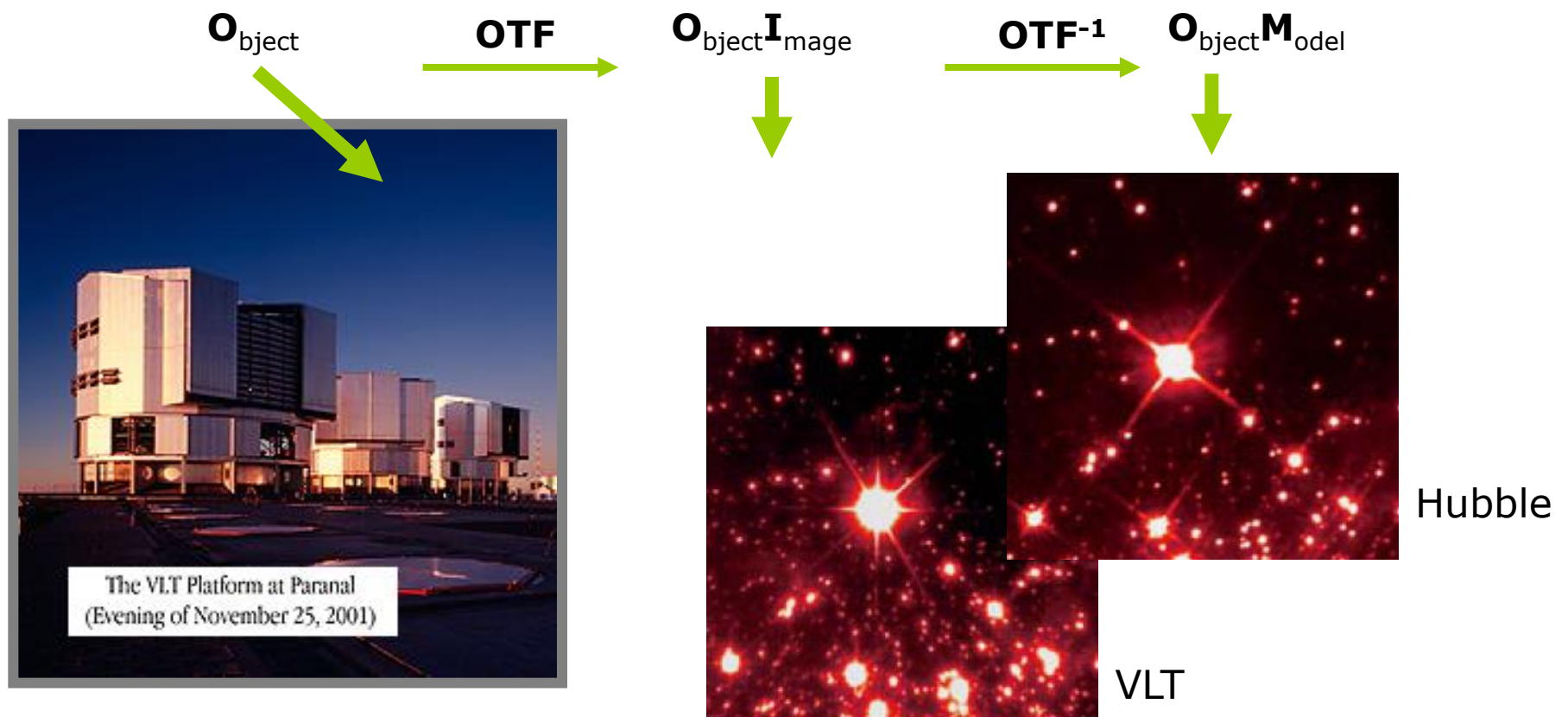


<http://www.youtube.com/watch?v=lnKIBZYarzM>

Diffraction Limited Resolution for a 10m telescope $\sim \lambda/D \sim 0.01$ arcsec
 is limited to ~ 0.5 arcsec by the turbulent atmosphere.
 NAOS creates an artificial star at 90 km altitude in the Earth's mesosphere.
 The Laser Guide Star is used to correct atmospheric effects

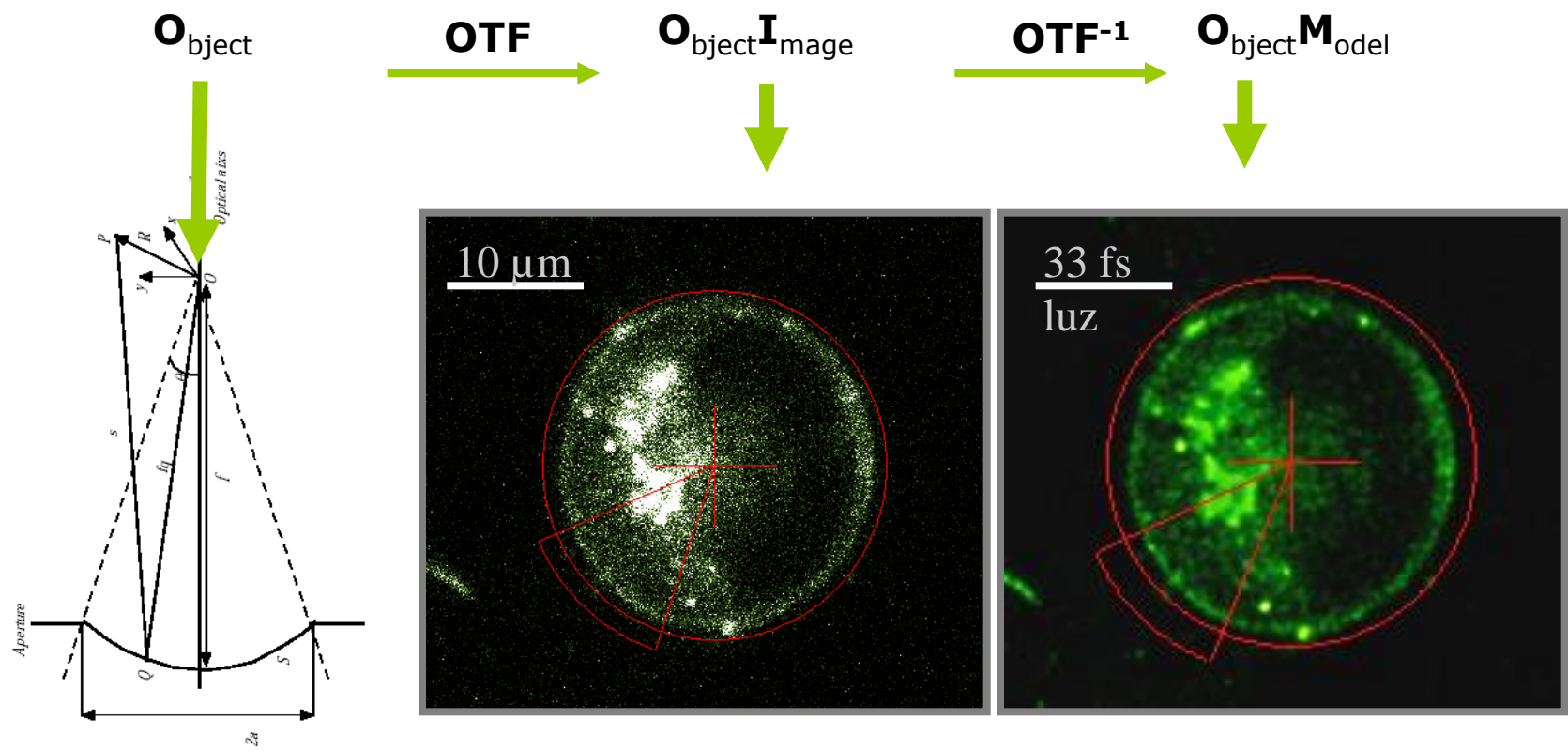


Diffraction Limited Resolution for a 10m telescope $\sim \lambda/D \sim 0.01$ arcsec is limited to ~ 0.5 arcsec by the turbulent atmosphere.

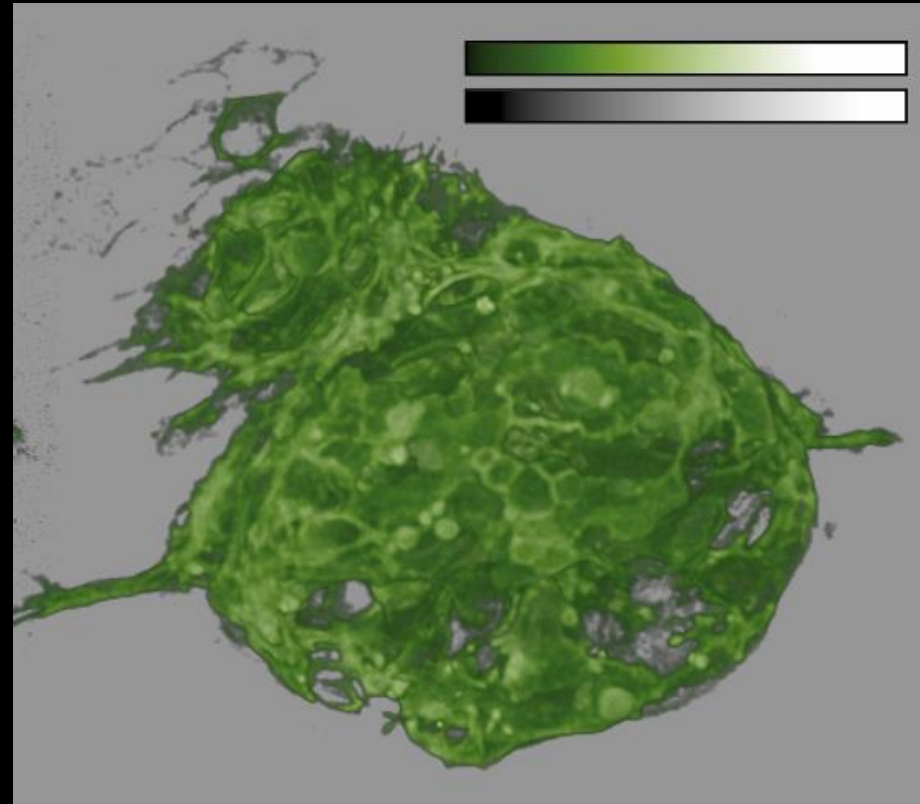
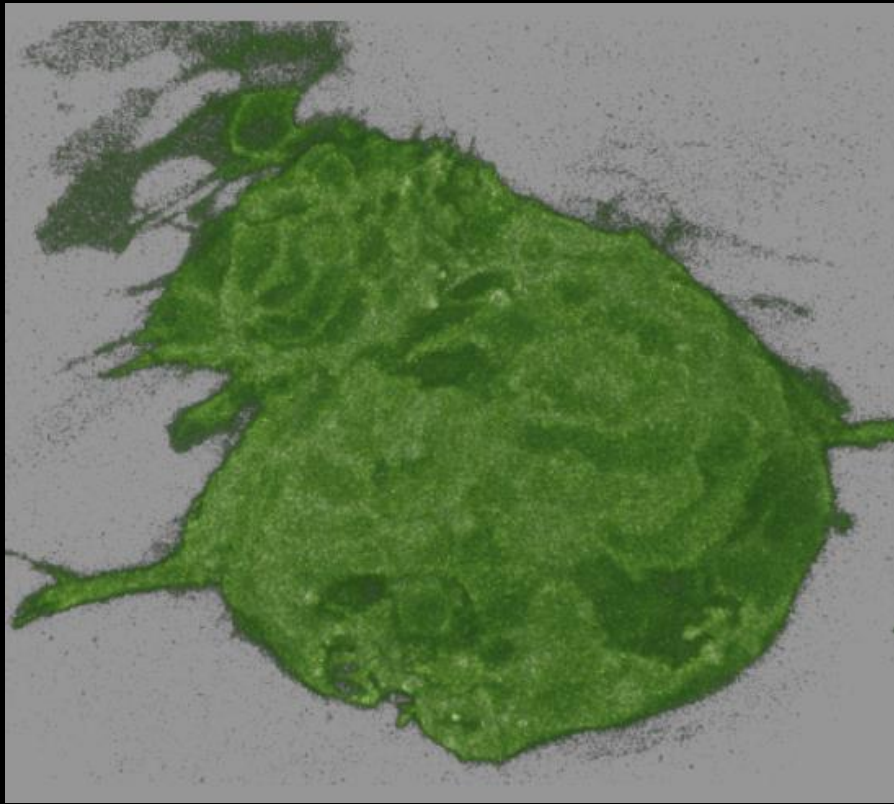


Confocal Microscopy | From Geometric Optics to Diffraction Theory

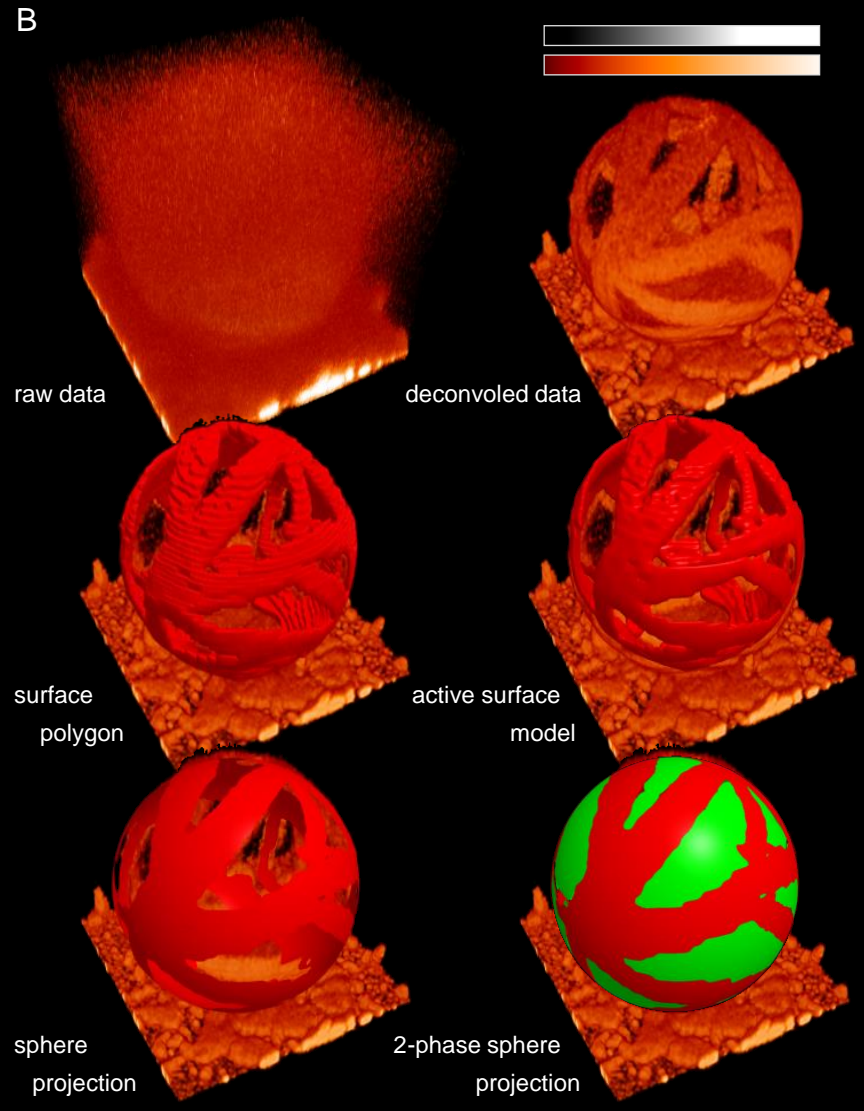
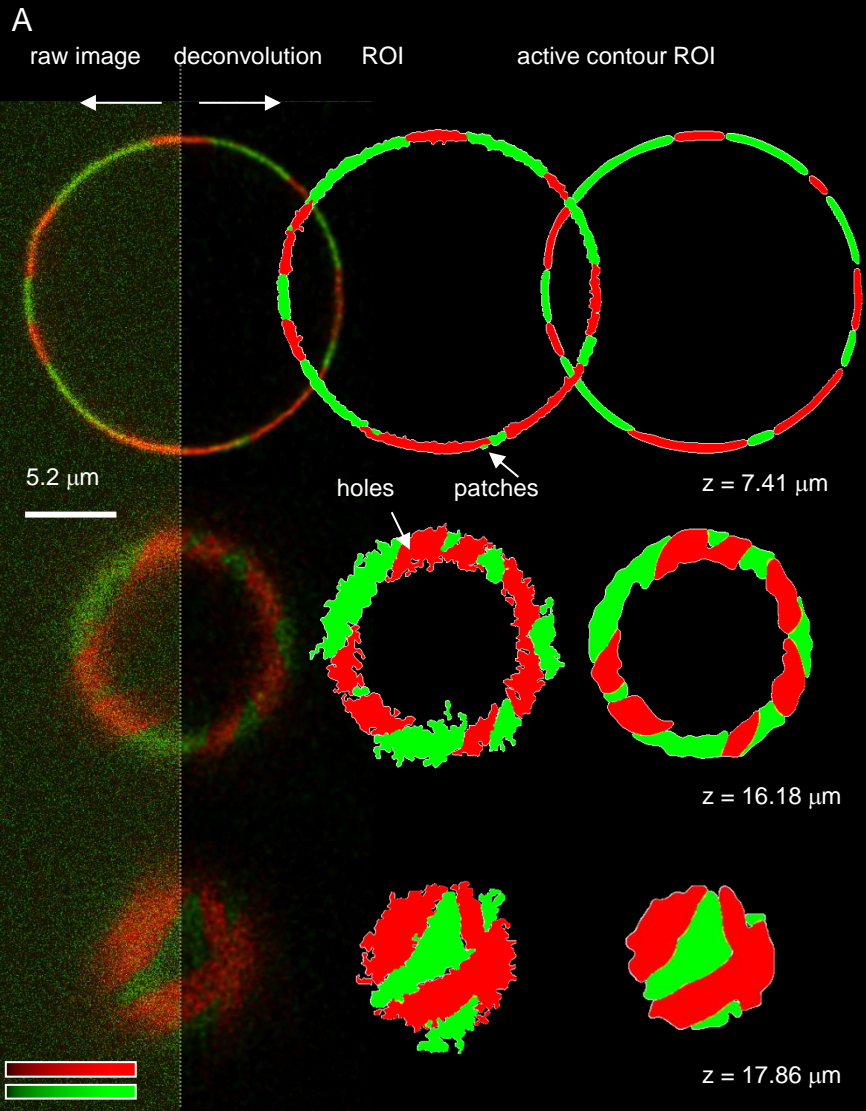
Diffraction: The deviation of an electromagnetic wavefront from the path predicted by geometric optics when the wavefront interacts with a physical object such as an opening or an edge.



|-> Deconvolution

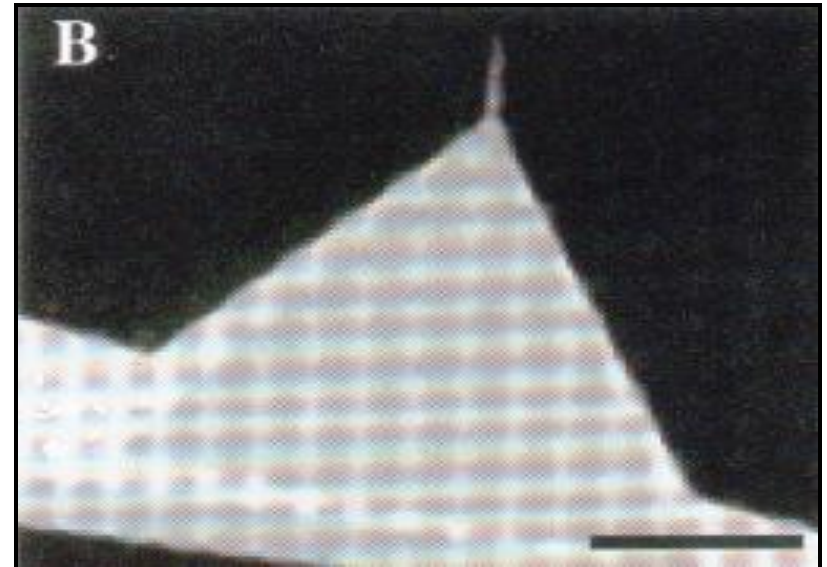
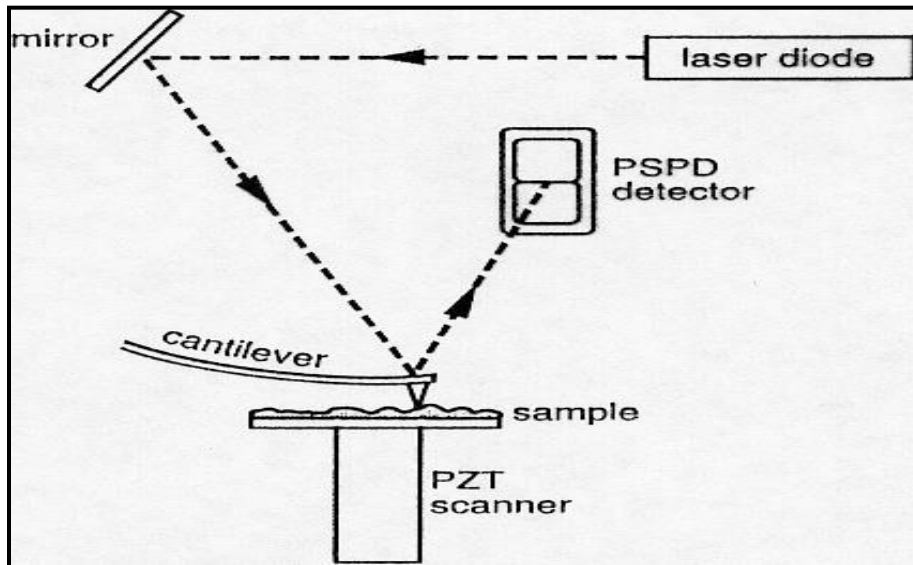


| -> Deconvolution

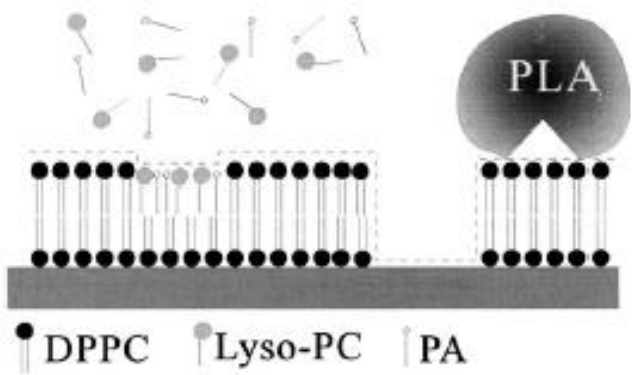


AFM allows the investigation of structural and functional properties of biomolecules in liquid environments, by a unique combination of :

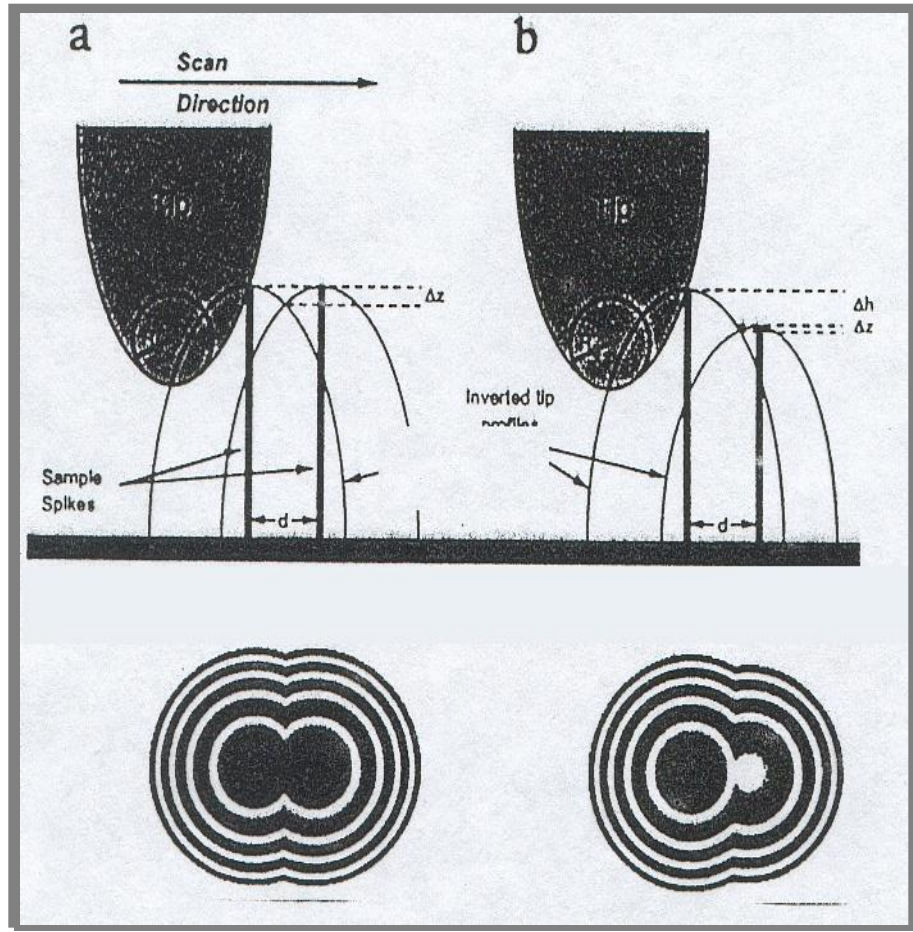
- **subnanometer** spatial resolution
- **millisecond** temporal resolution
- **piconewton** force sensitivity



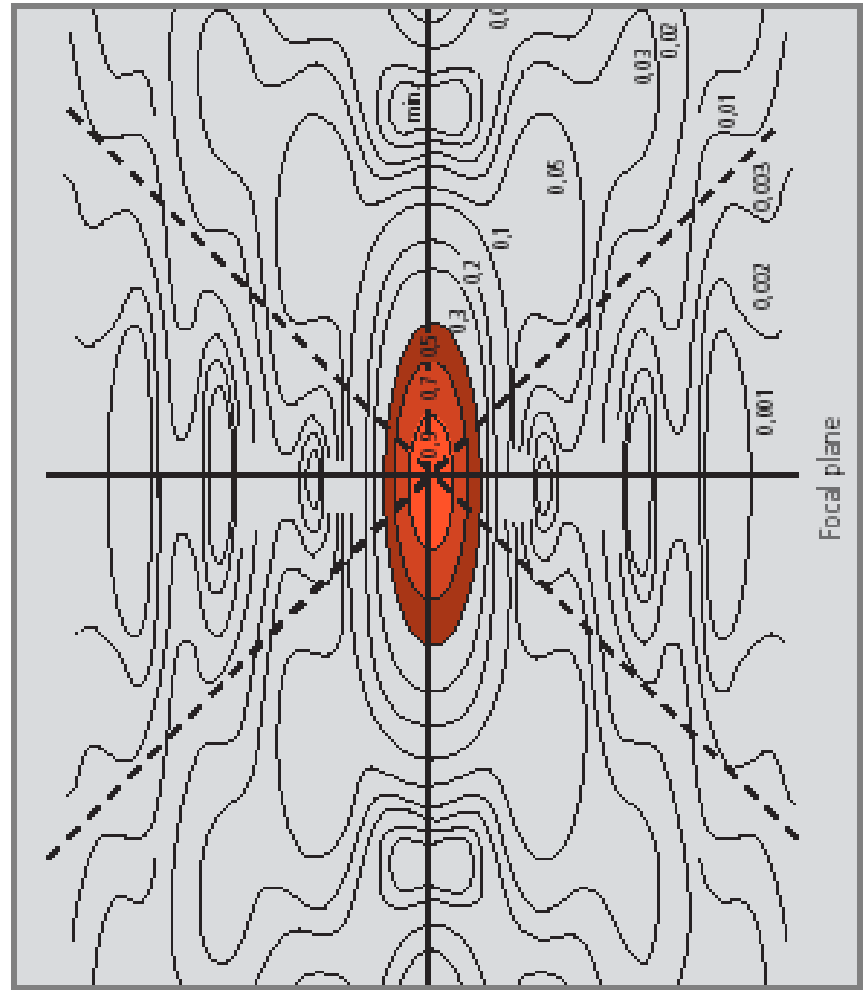
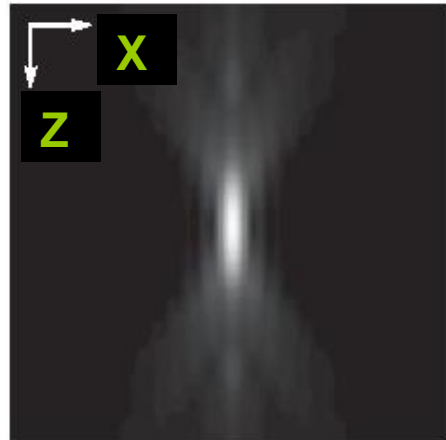
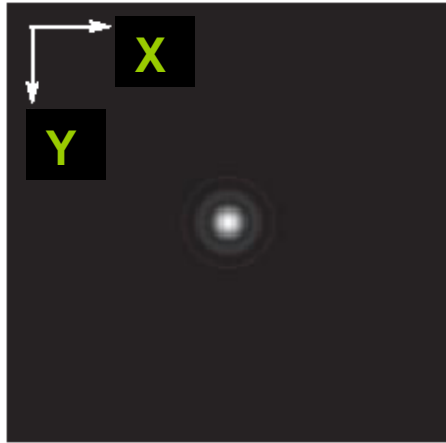
| -> Atomic Force Microscopy



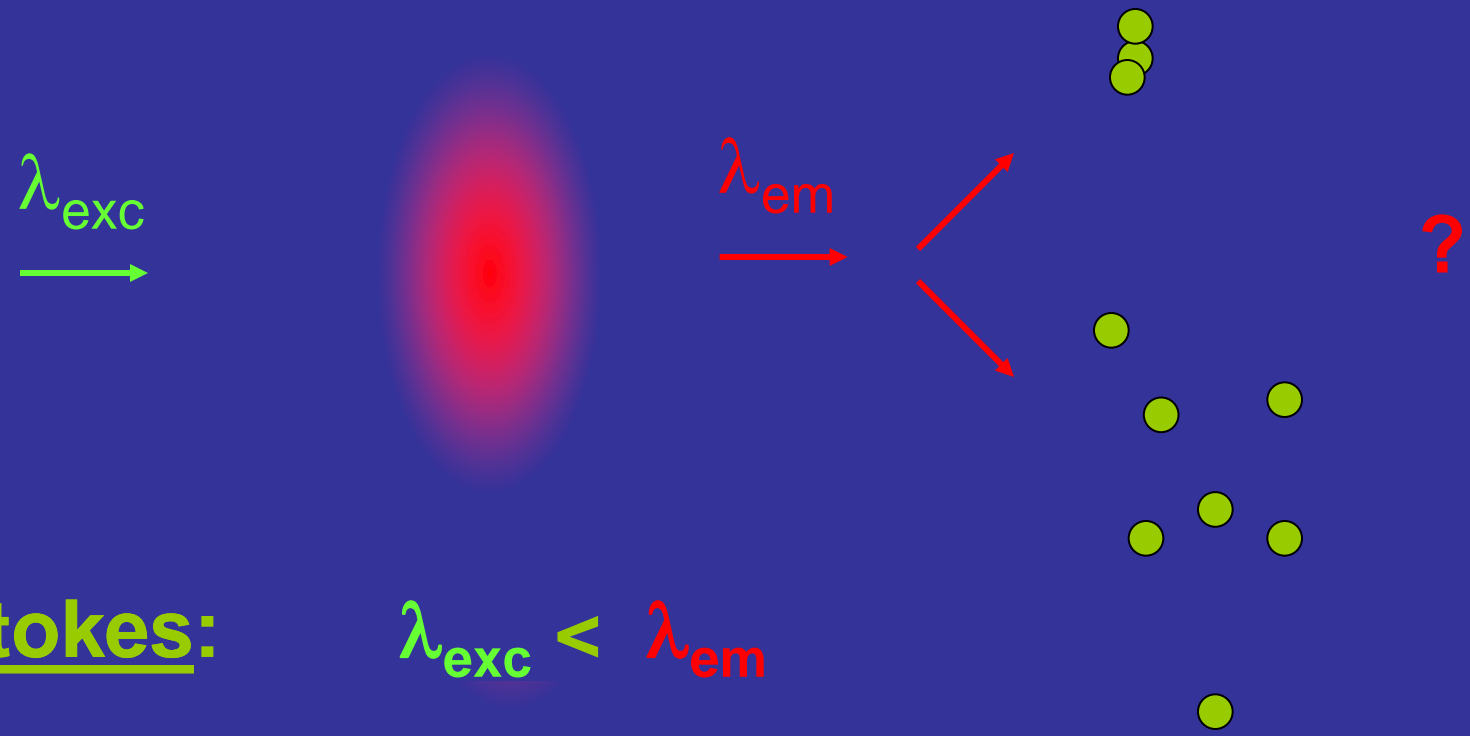
M Grandbois et al. (1998) Biophys J.



| -> PSF



| -> Convolution



|-> Convolution

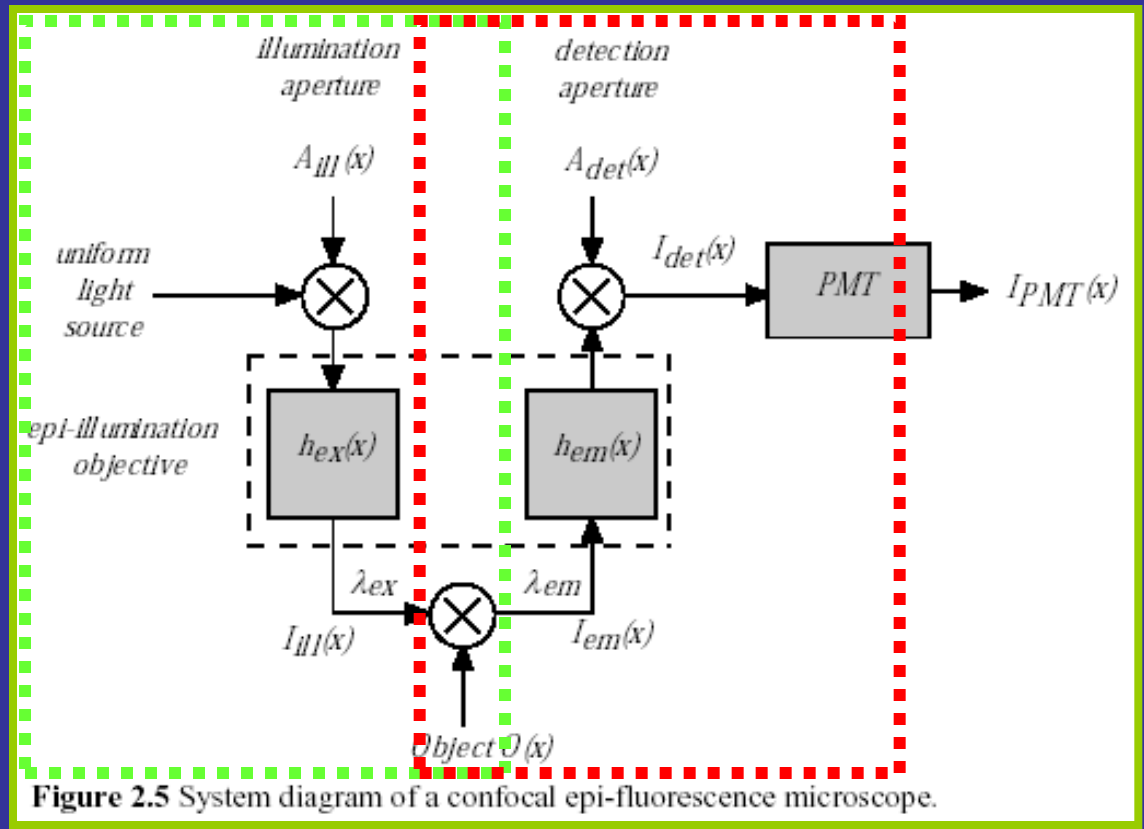
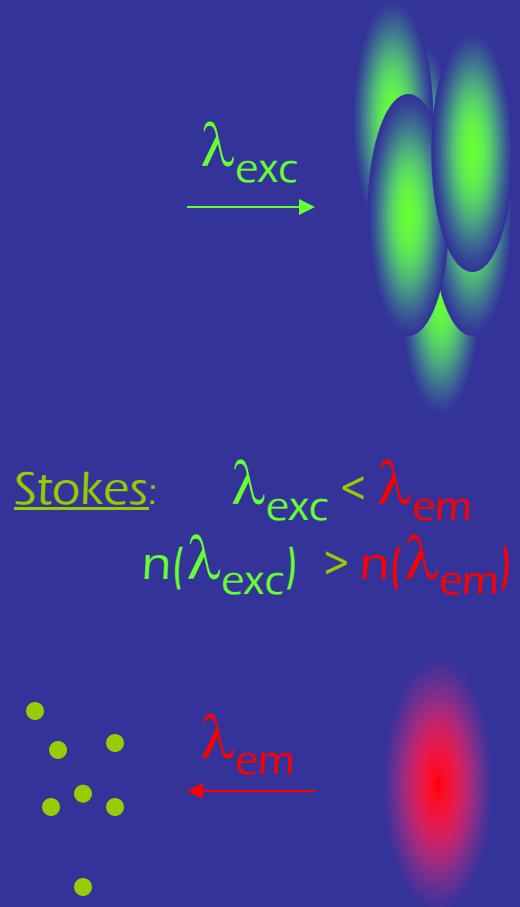
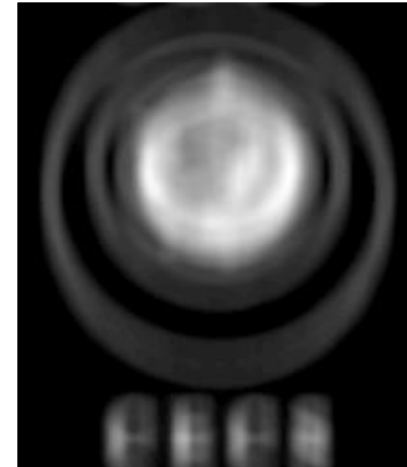
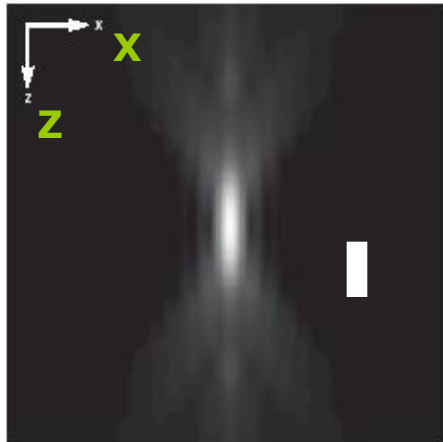


Figure 2.5 System diagram of a confocal epi-fluorescence microscope.

| -> Convolution



PSF:

$\Delta xy \sim 500 \text{ nm}$ | $\Delta z \sim 1500 \text{ nm}$

PSF: Point Spread Function

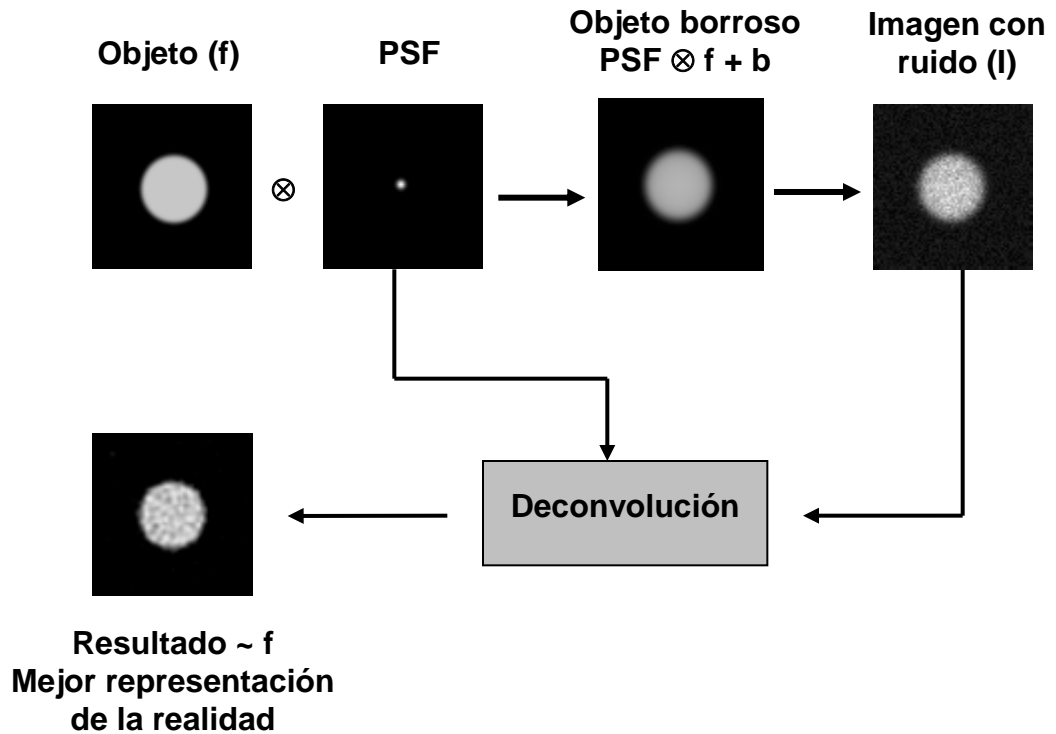
f: Object Function

b: Offset Function

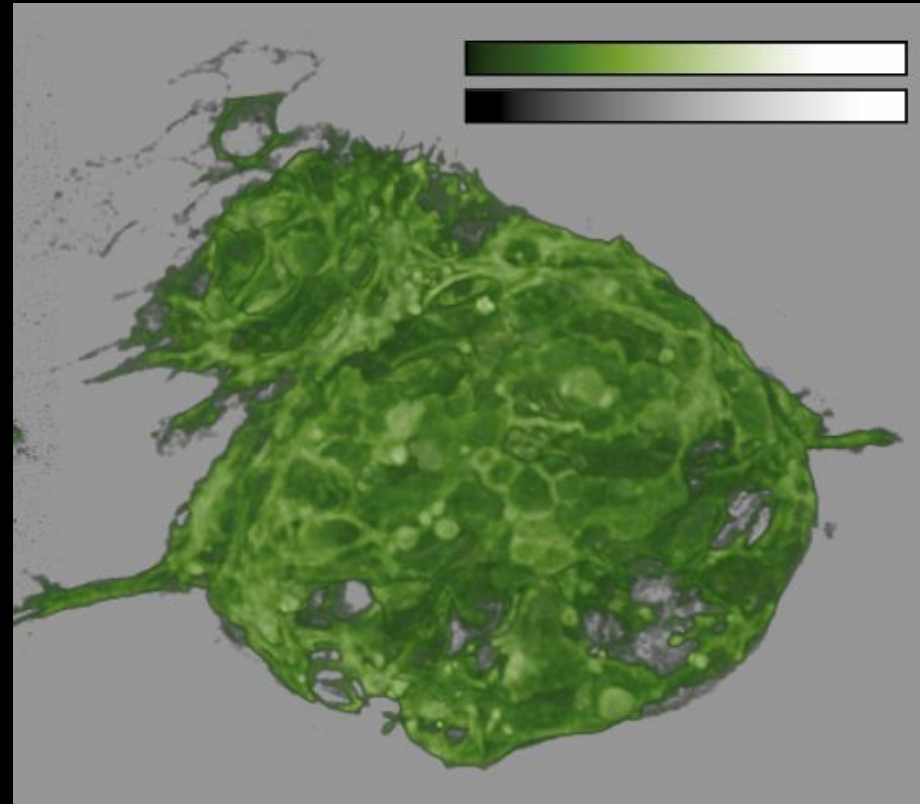
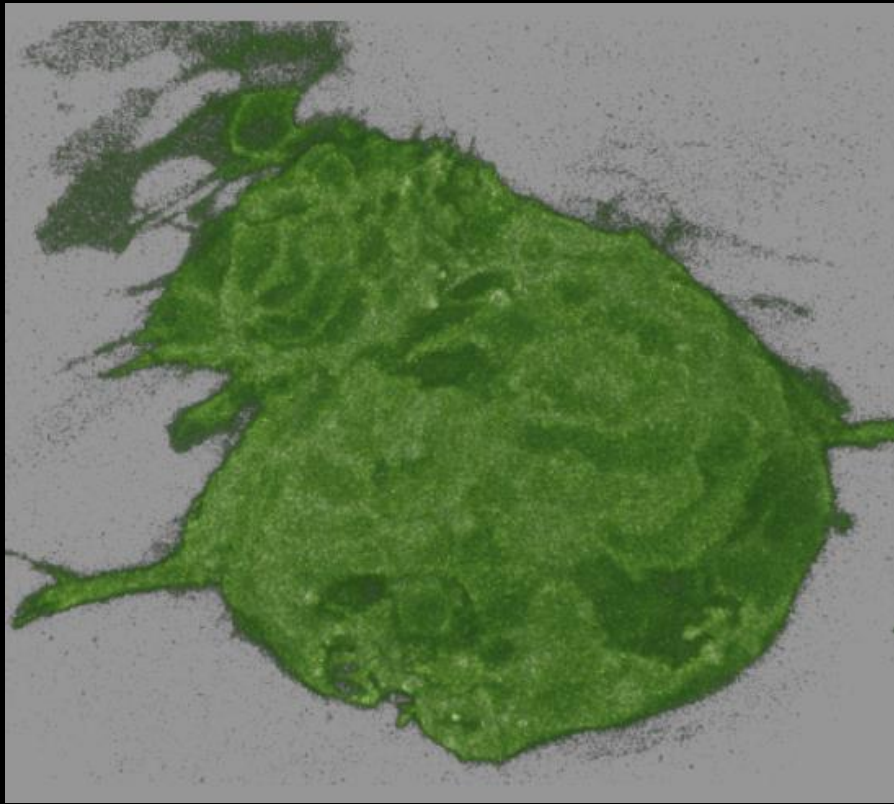
I: Image Matrix

N: Noise Function

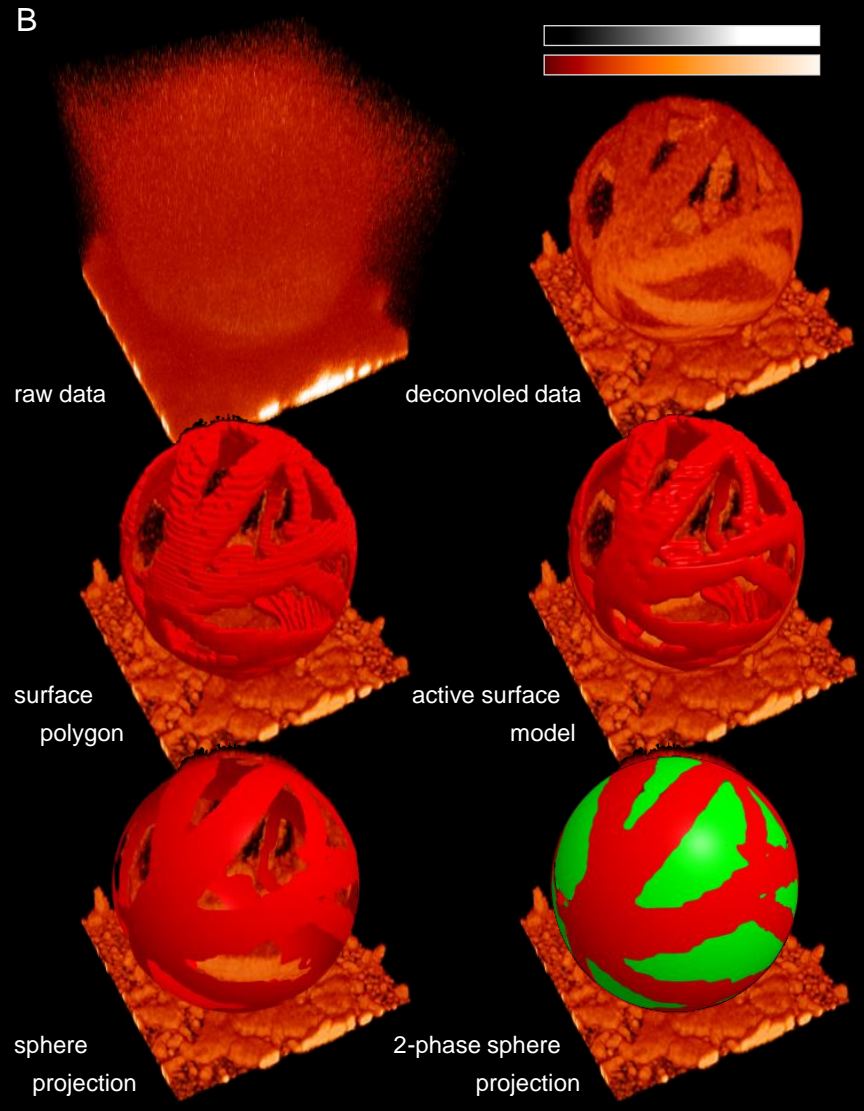
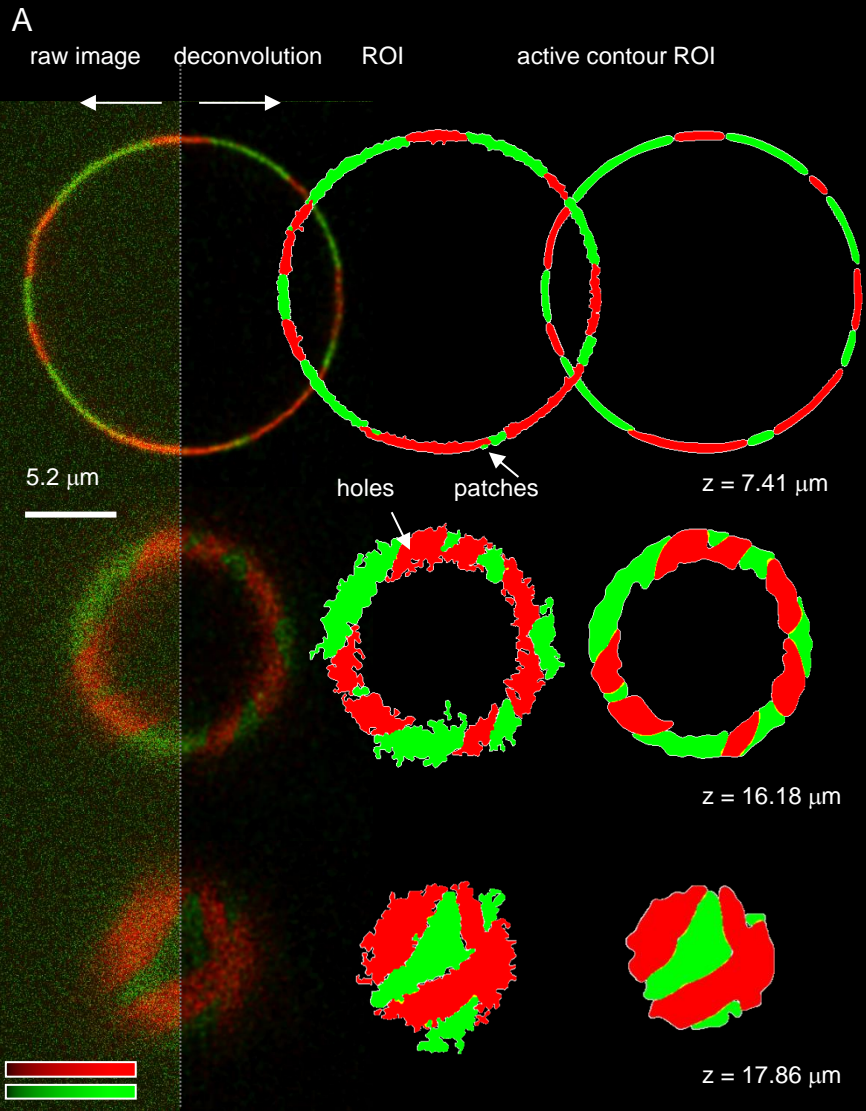
$$N(PSF(x, y, z) \otimes f(x, y, z) + b(x, y, z)) = I(x, y, z)$$



| -> Deconvolution



| -> Deconvolution



PSF: Point Spread Function

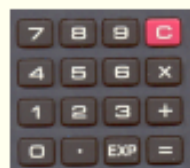
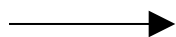
$$N/PSF(x, y, z) \otimes f(x, y, z) + b(x, y, z) = I(x, y, z)$$

f: Object Function

b: Offset Function

I: Image Matrix

N: Noise Function



Calculator

[Numerical aperture](#)

[Excitation wavelength](#)

(nm)

[Emission wavelength](#)

(nm)

[Number of excitation photons](#)

[Backprojected pinhole radius](#)

(nm)

[B.P. distance between pinholes](#)

Only for Nipkow disks (μm)

[Lens medium refractive index](#)

[Specimen medium refractive index](#)

[Acquisition depth](#)

(μm)

Calculate also PSF

- confocal
- widefield
- nipkow
- 4Pi

Select one

PSF: Point Spread Function

f: Object Function

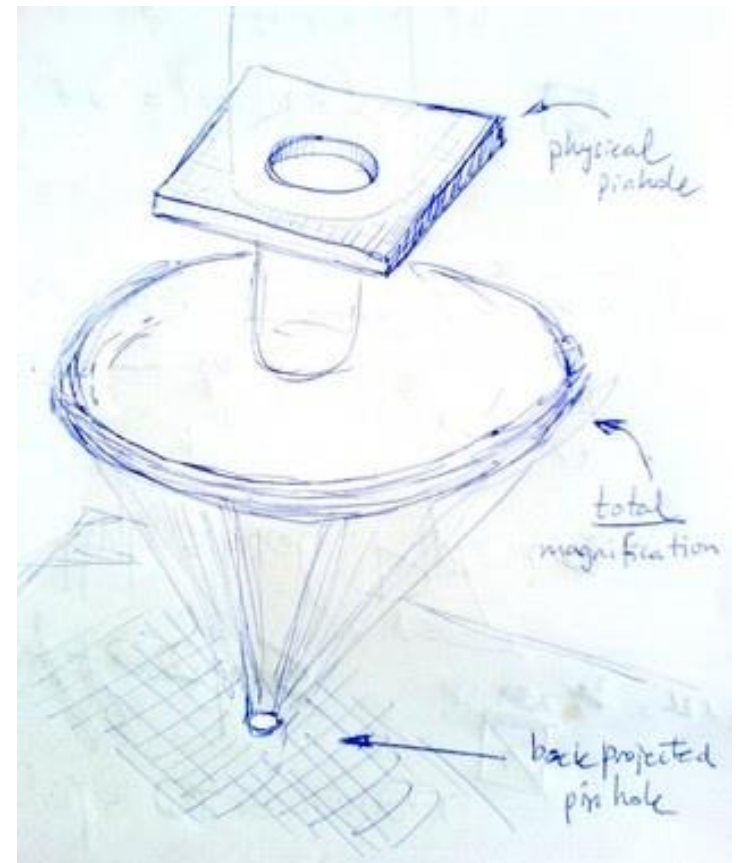
b: Offset Function

I: Image Matrix

N: Noise Function

$$N / (PSF(x, y, z) \otimes f(x, y, z) + b(x, y, z)) = I(x, y, z)$$

Backprojected confocal pinhole



<http://support.svi.nl/wiki/NyquistCalculator>

PSF: Point Spread Function

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$$N/(PSF(x, y, z) \otimes f(x, y, z) + b(x, y, z)) = I(x, y, z)$$

Biorad

- [Biorad MRC 500, 600 and 1024](#)
- [Biorad Radiance](#)

Leica

- [Leica confocals TCS 4d, SP1 and NT](#)
- [Leica confocal SP2](#)
- [Leica confocal SP5](#)

Nikon

- [TE2000-E with the C1 scanning head](#)

Olympus

- [Olympus FV300](#)
- [Olympus FV500](#)
- [Olympus FV1000](#)

Zeiss

- [Zeiss LSM410 inverted](#)
- [Zeiss LSM510](#)

| -> Noise



Literature: eg. Noise Theory and Application to Physics: Philippe Réfrégier, Springer

PSF: Point Spread Function

f: Object Function

b: Offset Function

I: Image Matrix

N: Noise Function

- *Black Body Irradiation (Poisson)*

- *Detector Noise (Gauss)*

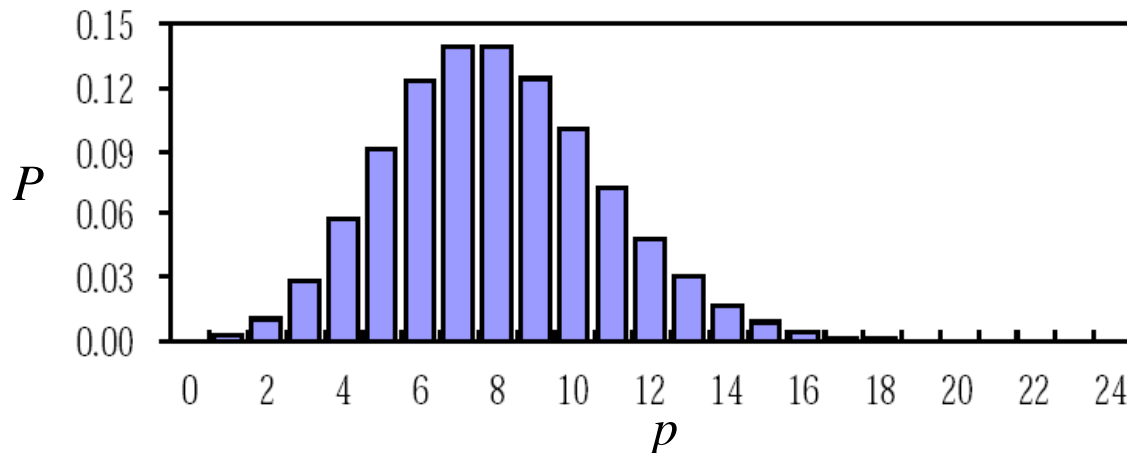
$$N(PSF(x, y, z) \otimes f(x, y, z) + b(x, y, z)) = I(x, y, z)$$

$$P(p, \mu) = \frac{\mu^p}{p!} \cdot e^{-\mu}$$

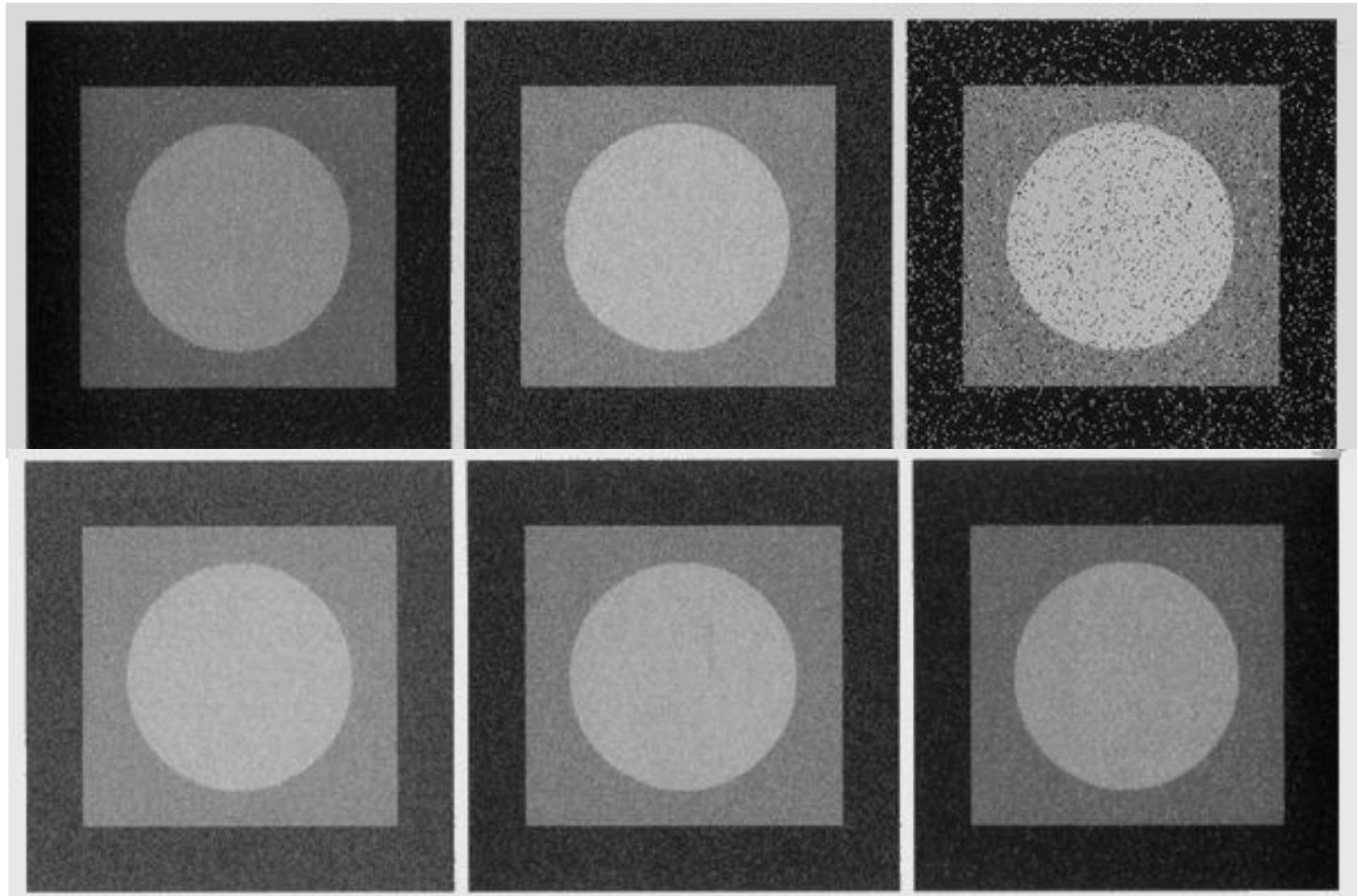
$$1. \bar{p} = \mu = \sigma^2, sd = \sigma = \sqrt{\bar{p}} = \sqrt{\mu}$$

$$2. \text{counting} : \bar{p} \pm \sqrt{\bar{p}}$$

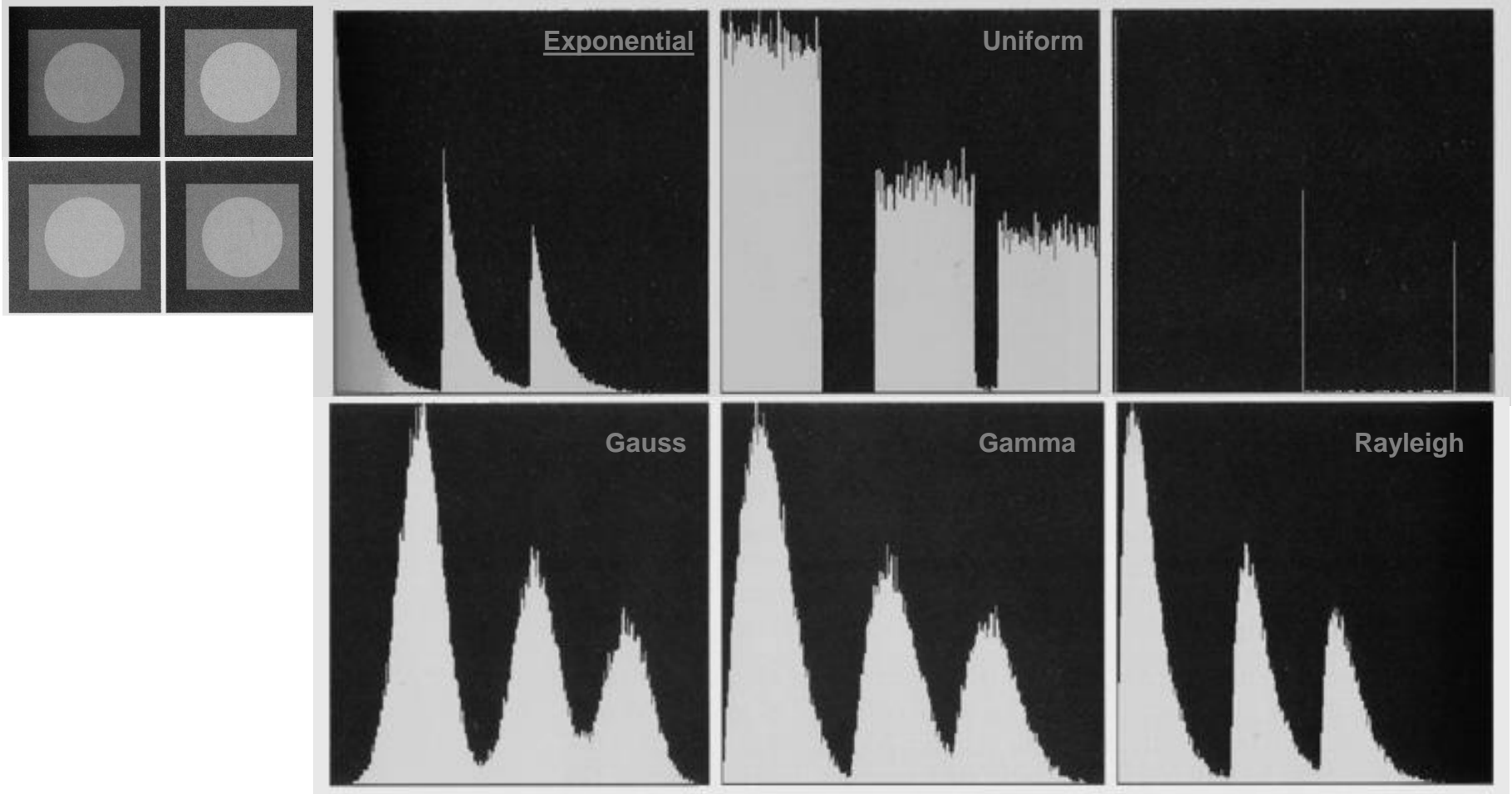
$$3. \text{Poisson (discrete)} \rightarrow \text{Gauss (continuous)} : \mu \rightarrow \infty$$



| -> Noise



| -> Noise



The Signal to Noise ratio (SN) is a number not always easy to estimate. The easiest way to obtain some figures is to look at the textures of bright areas in your object image. In the figure at left you see examples of such textures obtained from originally the same object image to which various levels of poisson noise were added.

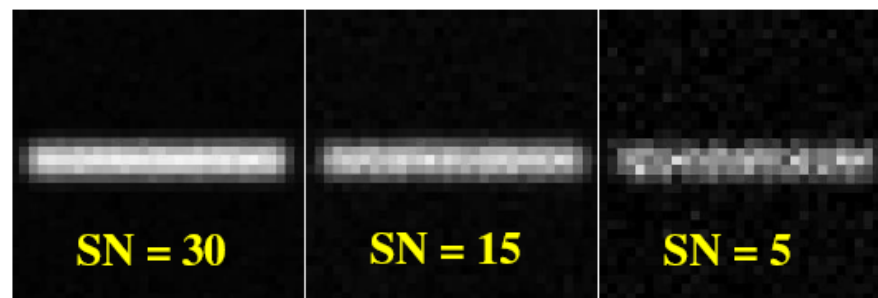
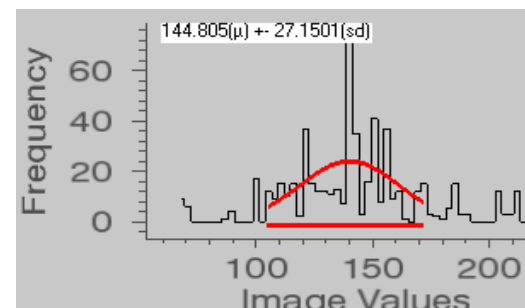
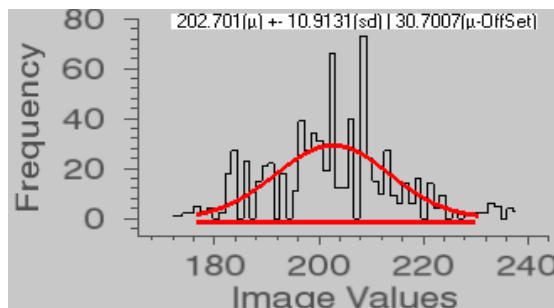
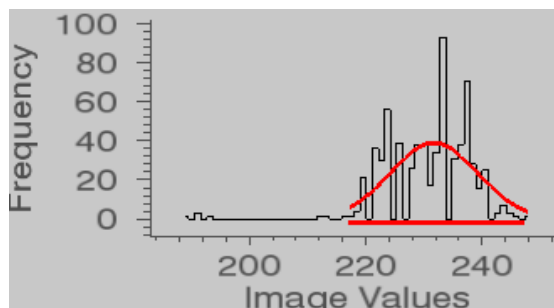


Figure 9. Images with different generated noise levels

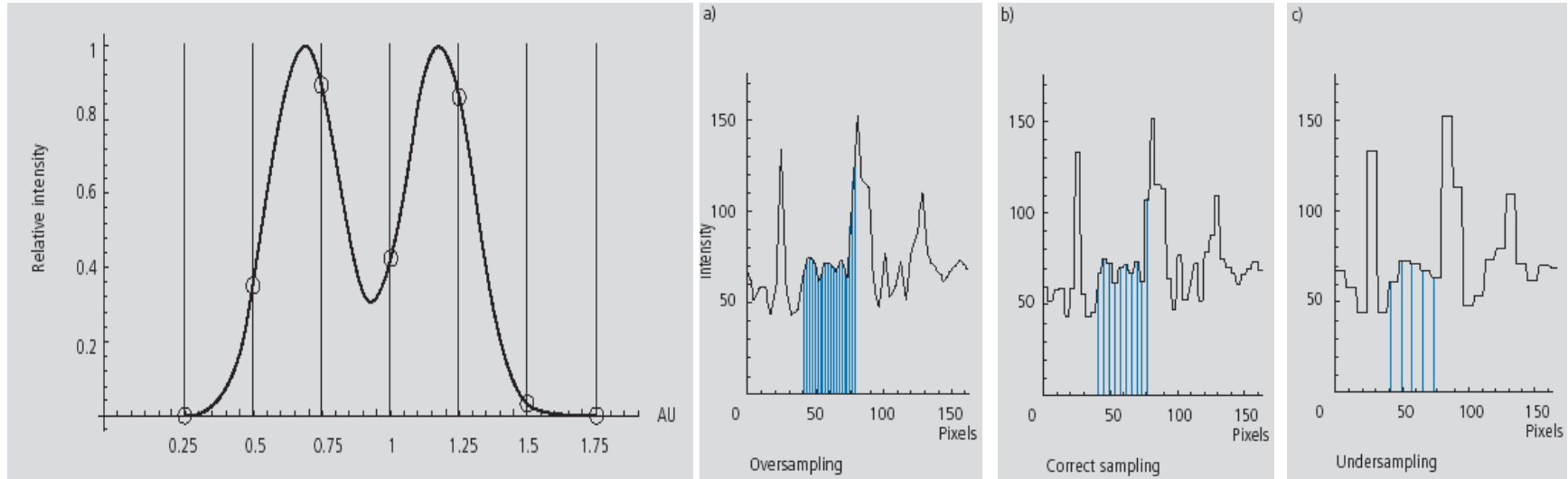


$$SNR = \frac{\bar{I}}{\sigma} = \frac{\bar{I}}{\sqrt{\sigma^2}} = \frac{229}{7.5}$$

$$SNR = \frac{\bar{I}}{\sigma} = \frac{\bar{I}}{\sqrt{\sigma^2}} = \frac{200}{10}$$

$$SNR = \frac{\bar{I}}{\sigma} = \frac{\bar{I}}{\sqrt{\sigma^2}} = \frac{139}{27}$$

| -> Nyquist /Shannon Theorem



- Undersampling loses structures.
- Oversampling waists memory/computation time.

The 'Nyquist /Shannon Theorem' or 'Sampling Theorem' for the digital sampling of analogue signals suggests a Nyquist rate $NR \geq 2v$?

! Diffraction theory calculates lateral $NR \sim 20 \text{ pixel}/\mu\text{m} (\sim 50 \text{ nm}/\text{pixel})$!
... axial $NR \sim (\sim 150 \text{ nm}/\text{pixel})$

PSF: Point Spread Function

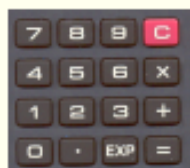
f: Object Function

b: Offset Function

I: Image Matrix

N: Noise Function

$$N(\text{PSF}(x, y, z) \otimes f(x, y, z) + b(x, y, z)) = I(x, y, z)$$



Calculator

[Numerical aperture](#)

[Excitation wavelength](#)

 (nm)

[Emission wavelength](#)

 (nm)

[Number of excitation photons](#)

[Backprojected pinhole radius](#)

 (nm)

[B.P. distance between pinholes](#)

 Only for Nipkow disks (μm)

[Lens medium refractive index](#)

[Specimen medium refractive index](#)

[Acquisition depth](#)

 (μm)

Calculate also PSF

- confocal
- widefield
- nipkow
- 4Pi

Select one

PSF: Point Spread Function

f: Object Function

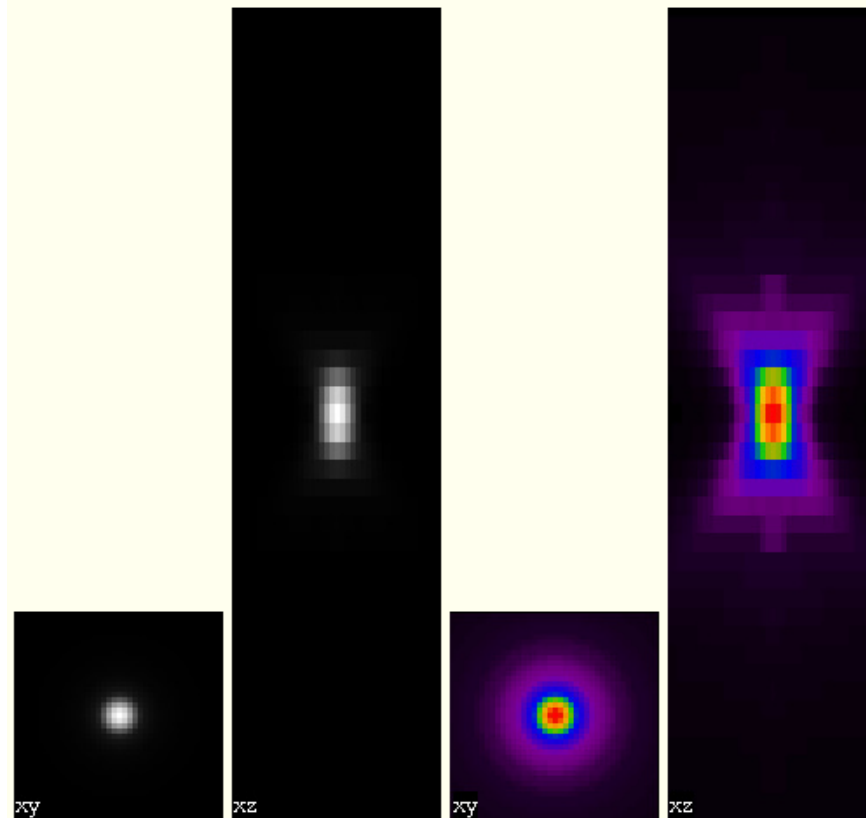
b: Offset Function

I: Image Matrix

N: Noise Function

$$N(PSF(x, y, z) \otimes f(x, y, z) + b(x, y, z)) = I(x, y, z)$$

Nyquist sampling (x,y,z in nm): 46, 46, 165

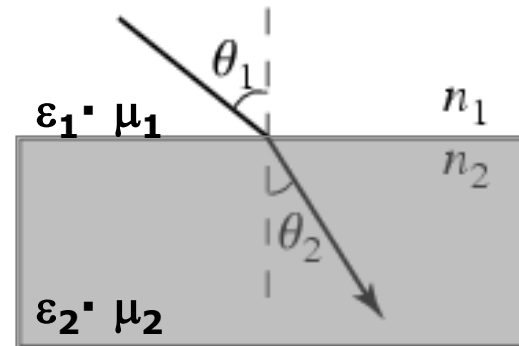


Index of refraction: $n = (\epsilon \cdot \mu)^{1/2} = c/v$,
 ϵ electric permittivity and μ magnetic permeability.

Snell's Law:

$$\sin \theta_1 n_1 = \sin \theta_2 n_2$$

- 1.518 [Zeiss Oil]
- 1.33 [Water]
- 1.0008 [Air]



Refractive Index:

$$RI = n_1/n_2 = v_2/v_1$$

Snell's Law:

$$\sin \theta_1 n_1 = \sin \theta_2 n_2$$

$$n = n(\lambda) !$$

- **1.518 [Zeiss]**
- **1.33 [Water]**
- **1.0008 [Air]**

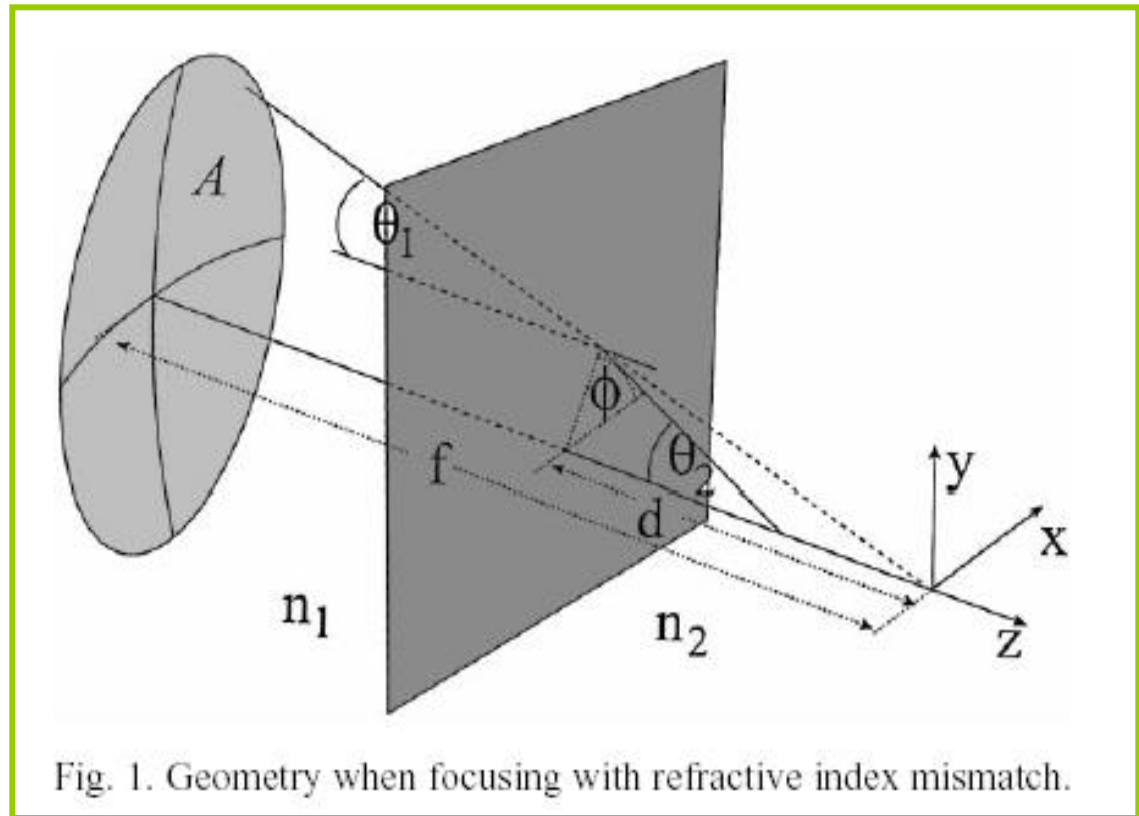
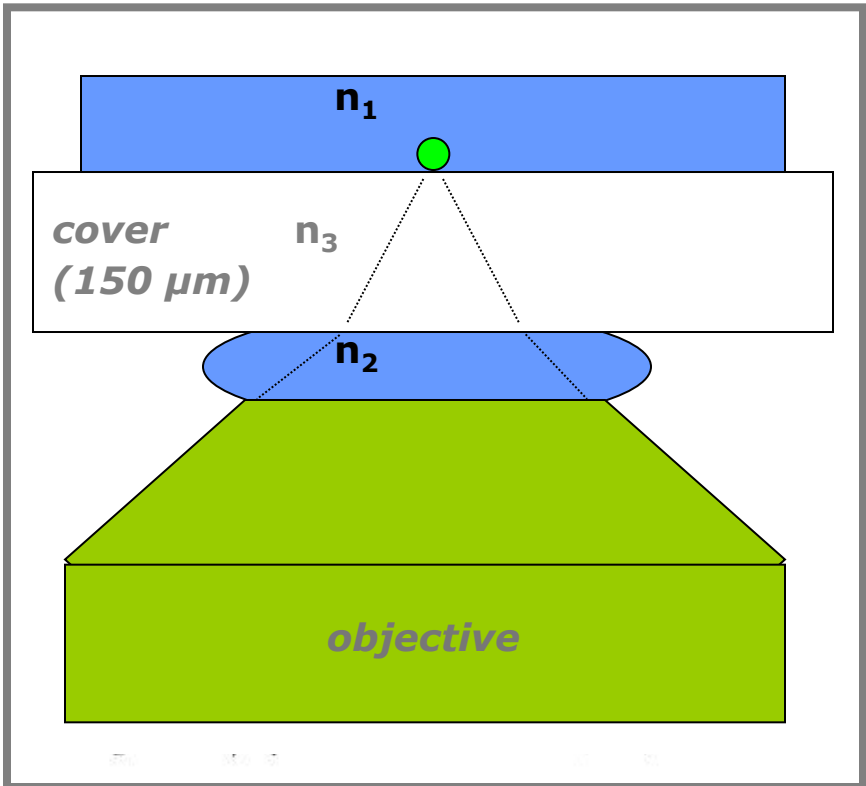


Fig. 1. Geometry when focusing with refractive index mismatch.

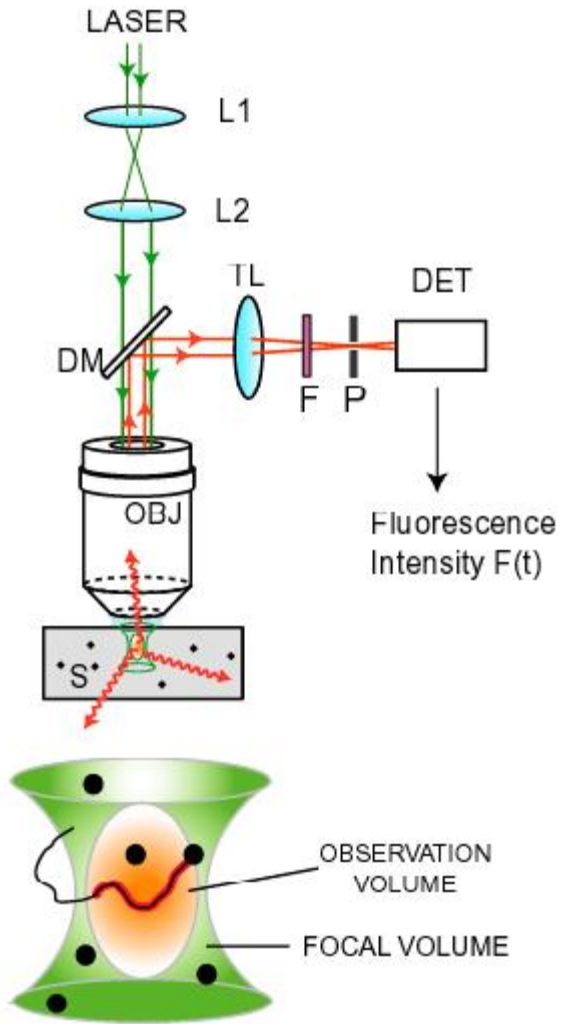
(Egner et al 1998)

● **Micro-esfera:** $\varnothing = 6 \mu\text{m}$



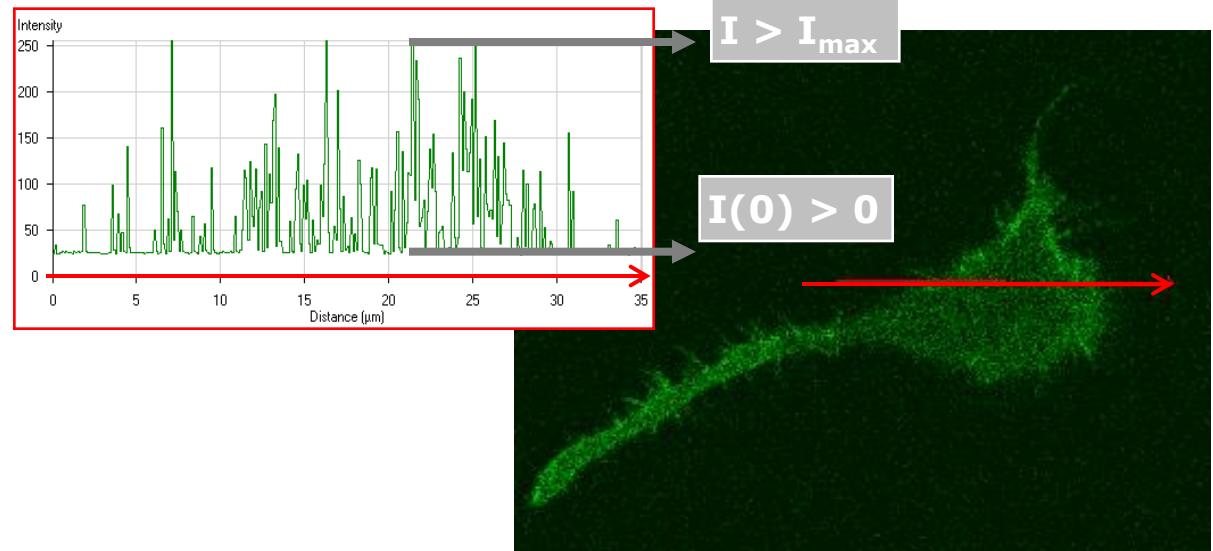
agua/aceite -- *aceite/aceite*
 $n_1 \neq n_2$ $n_1 = n_2$

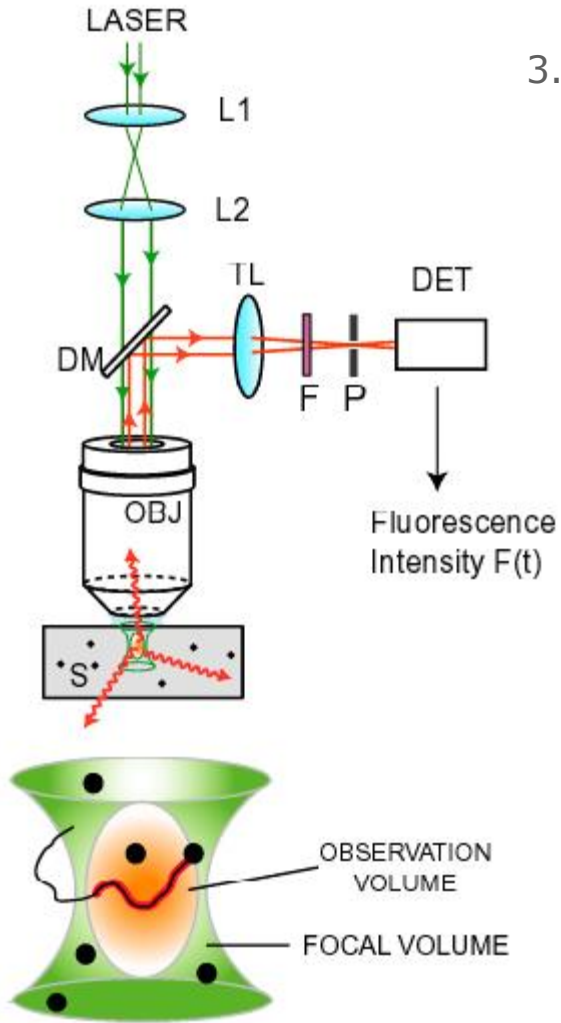
Ley de Snell: $n_i \cdot \sin\theta_i = n_k \cdot \sin\theta_k$
 $n = n(\lambda) !$



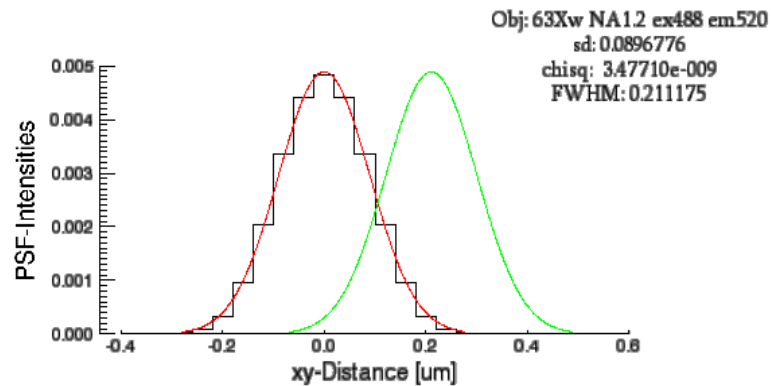
The observation volume (femtoliter) defined by the Point Spread Function must be considered as a mini-spectrofluorimeter.

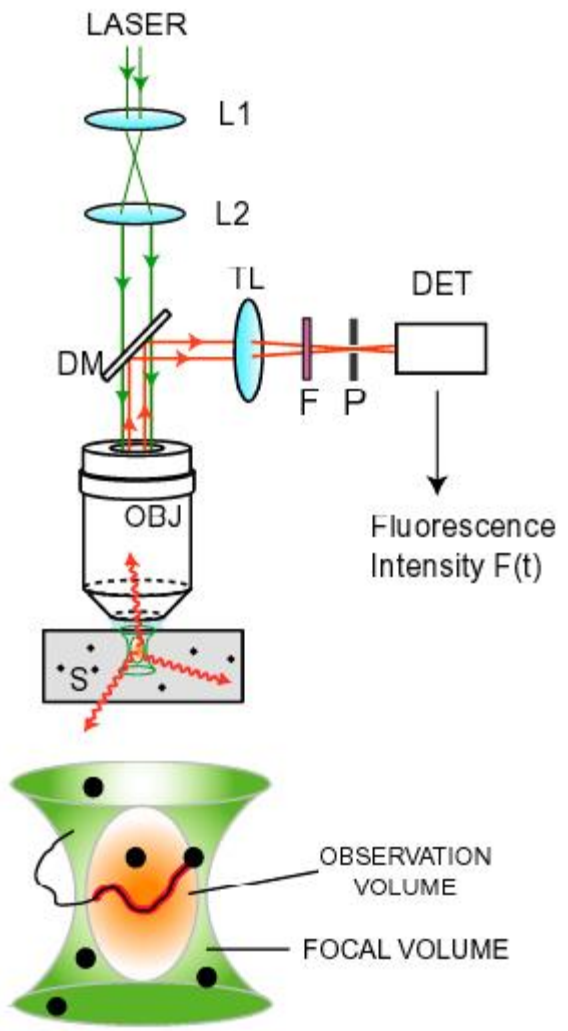
1. You need to consider the Offset $I(0)$ in order to calibrate your signal $I(0) \geq 0$!
2. Never saturate the signal: $I \leq I_{\max}$ (255 for 8 bit) !





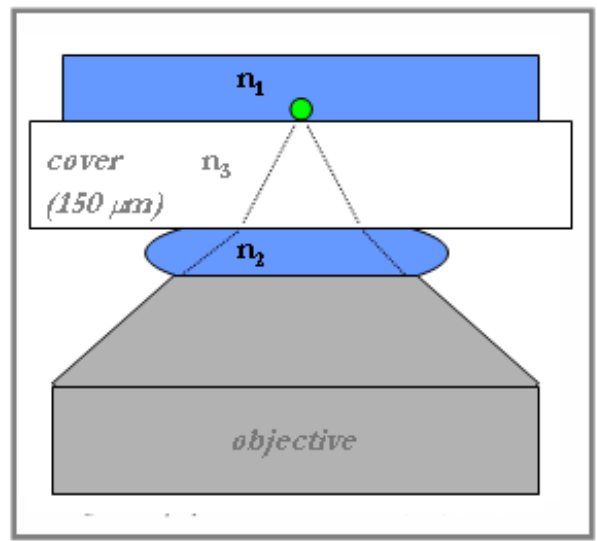
- You need to consider sampling distances in Δx and $\Delta y \approx 50$ nm and $\Delta z \approx 150-300$ nm for later deconvolution, or calculate the explicit sample distances @ <http://support.svi.nl/wiki/NyquistCalculator>





- Use the right immersion setup !
 $n_1 = n_2$!
 Keep refractive index / index of refraction constant !

● Micro-esfera: $\varnothing = 6 \mu\text{m}$



agua/aceite -- *aceite/aceite*
 $n_1 \neq n_2$ $n_1 = n_2$
 Ley de Snell: $n_i \cdot \sin\theta_i = n_k \cdot \sin\theta_k$
 $n = n(\lambda)$!